M.SC. APPLIED MATHEMATICS

Course of Study, Schemes of Examinations & Syllabi (Choice Based Credit System)



PG & Research Department of Mathematics H.H. The Rajahs' College (Autonomous) Re-Accredited with B⁺ by NAAC Pudukkottai- 622 001.

SYLLABUS

FROM THE ACADEMIC YEAR

2023-2024

CONTENTS

- 1. **Preamble**
- 2. Programme outcomes and Programme special outcomes

- 3. Template for PG Programme in Mathematics
- 4. Template for Semester
- 5. Syllabus

. 1997 | 1997 | 1997 | 1997 | 1997 | 1997 | 1997 | 1997 | 1997 | 1997 | 1997 | 1997 | 1997 | 1997 | 1997 | 1997

1. Preamble

In pursuit of the Higher Education Department Policy Note 2022-23 Demand 20, Section 1.4, Tamil Nādu State Council for Higher Education took initiative to revamp the curriculum. On 27 July 2022, a meeting was convened by the Member-Secretary Dr. S. Krishnasamy enlightening the need of the hour to restructure the curriculum of both Under-graduate and Post-graduate programmes based on the speeches at the Tamil Nādu Legislative Assembly Budget meeting by the Honourable Higher Education Minister Dr K. Ponmudy and Honourable Finance Minister Dr. P. Thiagarajan. At present there are three different modes of imparting education in most of the educational institutions throughout the globe. Outcome Based Education, Problem Based Education.

Now our Honourable Higher Education Minister announced Industry Aligned Education. During discussion, Member Secretary announced the importance of question papers and evaluation as envisaged by the Honourable Chief Secretary to Government Dr, V. IraiAnbu. This is very well imbedded in Revised Bloom's Taxonomy.

Taxonomy forms three learning domains: the cognitive (knowledge), affective(attitude), and psychomotor (skill). This classification enables to estimate the learning capabilities of students.

Briefly, it is aimed to restructure the curriculum as student-oriented, skill-based, and institutionindustry-interaction curriculum with the various courses under

"Outcome Based Education with Problem Based Courses, Project Based Courses, and Industry Aligned Programmes" having revised Bloom's Taxonomy for evaluating students skills. Three domains:

(i) Cognitive Domain

(Lower levels: K1: Remembering ; K2: Understanding ; K3: Applying; Higher levels: K4: Analysing ; K5: Evaluating; K6: Creating)

(ii) Affective Domain(iii)Psychomotor Dom

2a)PostGraduateProgramme

Programme Outcomes:

PO1: Disciplinary Knowledge: Capable of demonstrating comprehensive knowledge and understanding of one or more disciplines that form a part of an Post graduate programme of study.

PO2: Critical Thinking: Capability to apply analytic thought to a body of knowledge; analyse and evaluate evidence, arguments, claims, beliefs on the basis of empirical evidence; identify relevant assumptions or implications; formulate coherent arguments; critically evaluate practices, policies and theories by following scientific approach to knowledge development.

PO3: Problem Solving: Capacity to extrapolate from what one has learned and apply their competencies to solve different kinds of non-familiar problems, rather than replicate curriculum content knowledge; and apply one's earning to real life situations.

PO4: Analytical & Scientific Reasoning: Ability to evaluate the reliability and relevance of evidence; identify logical flaws and holes in the arguments of others; analyze and synthesize data from a variety of sources; draw valid conclusions and support them with evidence and examples and addressing opposing viewpoints.

PO5: Research related skills: Ability to analyse, interpret and draw conclusions from quantitative / qualitative data; and critically evaluate ideas, evidence, and experiences from an open minded and reasoned research perspective; Sense of inquiry and capability for asking relevant questions / problem arising / synthesizing / articulating / ability to recognize cause and effect relationships / define problems. Formulate hypothesis, Test / analyse / Interpret the results and derive conclusion, formulation and designing mathematical models

PO6: Self-directed & Lifelong Learning: Ability to work independently, identify and manage a project. Ability to acquire knowledge and skills, including "learning how to learn", through self-placed and self-directed learning aimed at personal development, meeting economic, social and cultural objectives.

M.Sc Mathematics

Programme Specific Outcomes:

PSO1: Acquire good knowledge and understanding, to solve specific theoretical & applied problems in different area of mathematics & statistics.

PSO2: Understand, formulate, develop mathematical arguments, logically and use quantitative models to address issues arising in social sciences, business and other context /fields.

PSO3: To prepare the students who will demonstrate respectful engagement with other's ideas, behaviors, beliefs and apply diverse frames of references to decisions and actions.

To create effective entrepreneurs by enhancing their critical thinking, problem solving, decision making and leadership skill that will facilitate startups and high potential organizations.

To encourage practices grounded in research that comply with employment laws, leading the organization towards growth and development.

Mapping of Course Learning Outcomes (CLOs) with Programme Outcomes (POs) and Programme Specific Outcomes (PSOs)can be carried out accordingly, assigning the appropriate level in the grids:

| | | | PC |)s | | | PS | Os | |
|------|---|---|----|----|---|---|-------|----|--|
| | 1 | 2 | 3 | 4 | 5 | 6 | 1 | 2 | |
| CLO1 | | | | | | | | | |
| CLO2 | | | | | | | | | |
| CLO3 | | | | | | | | | |
| CLO4 | | | | | | | | | |
| CLO5 | | | | | | | | | |

| 1.1Core-I 5 7 2.1Core-IV 5 6 3.1 Core-VII 5 6 4.1Core-XI 5 1.2 Core-II 5 7 2.2 Core-V 5 6 3.2 Core-VIII 5 6 4.2 Core-XII 5 1.3 Core – III 4 6 2.3 Core – VI 4 6 3.3 Core – IX 5 6 4.3 Project with viva voce 7 1.4 Elective -I Discipline Centric 3 5 2.4 Elective – III Discipline Centric 3 4 3.4 Core – X 4 6 4.4 Elective - VI (Industry / Entrepreneurship) 20% Theory 80% Practical 1.5 Elective-II Generic: 3 5 2.5 Elective - IV Generic: 3 4 3.5 Elective - V Discipline Centric 3 4 3.5 Elective - V Discipline Centric 3 3 4.5 Skill 2 2 2 2 3.5 Elective - V Discipline Centric 3 3 4.5 Skill 2 2 2 3.6 Skill 2 3 4.6 Extension Activity 1 2 3 4.6 Extension Activity 1 1 1 2 3.6 Skill 2 3 4.6 Extension Activity | Semester-I | Credit | Hours | Semester-II | Credi t | Hours | Semester-III | Credit | Hours | Semester-IV | Credi t | Hours |
|--|----------------|-------------|-------|-------------------|--|-------|---|--------|-------|--|------------|-------|
| I.3 Core - III462.3 Core - VI463.3 Core - IX564.3 Project with viva voce71.4 Elective -I352.4 Elective - III Discipline Centric343.4 Core - X464.4 Elective - VI (Industry / Entrepreneurship) 20% Theory 80% Practical31.5 Elective-II Generic:352.5 Elective - | 1.1Core-I | 5 | 7 | 2.1Core-IV | 5 | 6 | 3.1 Core-VII | 5 | 6 | 4.1Core-XI | 5 | 6 |
| InterpretationInterpretationInterpretationViva voce1.4 Elective -I Discipline Centric352.4 Elective - III Discipline Centric343.4 Core - X464.4 Elective - VI (Industry / Entrepreneurship) 20% Theory 80% Practical31.5 Elective-II Generic:352.5 Elective - IV Generic:343.5 Elective - V Discipline Centric334.5 Skill Enhancement III21.5 Elective-II Generic:352.5 Elective - IV Generic:343.5 Elective - V V Discipline Centric334.5 Skill Enhancement III21.5 Elective-II Generic:352.6 Skill Enhancement I243.6 Skill Enhancement Competency Skill (Online objective)34.6 Extension Activity111 <td>1.2 Core-II</td> <td>5</td> <td>7</td> <td>2.2 Core-V</td> <td>5</td> <td>6</td> <td>3.2 Core-VIII</td> <td>5</td> <td>6</td> <td>4.2 Core-XII</td> <td>5</td> <td>6</td> | 1.2 Core-II | 5 | 7 | 2.2 Core-V | 5 | 6 | 3.2 Core-VIII | 5 | 6 | 4.2 Core-XII | 5 | 6 |
| Discipline CentricIII Di | 1.3 Core – III | 4 | 6 | 2.3 Core – VI | 4 | 6 | 3.3 Core – IX | 5 | 6 | e e | 7 | 10 |
| Generic:IV Generic:IV Generic:VDiscipline CentricEnhancement IIIJost Pine2.6 Skill243.6 Skill234.6 Extension1EnhancementIEnhancementEnhancementCourse - II/Activity1IIIIProfessionalIIIIIIIVProfessionalIII | Discipline | 3 | 5 | III Discipline | 3 | 4 | 3.4 Core – X | 4 | 6 | (Industry / Entrepreneurship) 20% Theory | 3 | 4 |
| Enhancement Enhancement Activity I Professional Activity Competency Skill (Online objective) 3.7 Internship/ 2 Industrial Activity Industrial Activity Industrial Industrial Industrial Industri | | 3 | 5 | | 3 | 4 | V Discipline | 3 | 3 | | 2 | 4 |
| Industrial Activity (30Hrs) | En | Enhancement | 2 | 4 | Enhancement course - II/ Professional Competency Skill (Online objective) | | 3 | | 1 | | | |
| | | | | | | | 3.7 Internship/ Industrial Activity | | | | | |
| 20 30 22 30 26 30 23 Total Credit Points -91 | | 20 | 30 | | 22 | 30 | | 26 | 30 | | 23 | 30 |

Template for P.G., Programmes

<u>MSc APPLIED MATHEMATICS SYLLABUS:</u> First Year – Sem<u>ester – I</u>

| Part | SEM | | List of Courses | Sub Code | Cred its | No. of Hours |
|--------|-------------------|--------------------------------|------------------------------------|----------|-------------|-----------------|
| | 1.1 | Core – I - A | 23PMT1 | 5 | 7 | |
| | 1.2 | Core – II – | Real analysis-I | 23PMT2 | 5 | 7 |
| | 1.3 | Core – III - | - Ordinary Differential Equations | 23PMT3 | 4 | 6 |
| | | Elective | Graph Theory and Applications | 23PMTE1A | 2 | 5 |
| PART A | 1.4 $\frac{1}{2}$ | Number Theory and Cryptography | 23PMTE1B | 3 | 3 | |
| | | Elective | Fuzzy Sets and Their Applications | 23PMTE2A | | |
| | | 3/4 | Statistical Data Analysis Using R- | 23PMTE2B | 3 | 5 |
| | 1.5 | 74 | Programming | | | |
| | | | | | 20 | 30 |

Semester-II

| Part | SEM | | List of Courses | Sub Code | Cred its | No. of Hours |
|--------|-----------|-------------|--|-----------------|-------------|-----------------|
| | 2.1 | Core – IV – | Advanced Algebra | 23PMT4 | 5 | 6 |
| | 2.2 | Core – V – | Real Analysis-II | 23PMT5 | 5 | 6 |
| | 2.3 | Core – VI – | Partial Differential Equations | 23PMT6 | 4 | 6 |
| PART A | ART A Ele | Elective | Mathematical Statistics | 23PMTE3A | 3 | 4 |
| | 2.4 | 5/6 | Modeling and Simulation With Excel | 23PMTE3B | 3 | 4 |
| | | Elective | Mathematical Programming | 23PMTE4A | 3 | 4 |
| | 2.5 | 7/8 | Machine Learning and Artificial Intelligence | 23PMTE4B | 5 | т |
| PART B | 2.6 | Skill Enhan | cement Course [SEC] – I Mathematical | 23PMTSE1 | 2 | 4 |
| | | documentat | ion using LATEX | | 2 | 4 |
| | | | | | 22 | 30 |

Second Year – Semester – III

| Part | SEM | | List of Courses | Sub Code | Cred its | No. of Hours |
|--------|-----|--|--|---------------|-------------|-----------------|
| | 3.1 | Core – VII | – Complex Analysis | 23PMT7 | 5 | 6 |
| | 3.2 | 23PMT8 | 5 | 6 | | |
| PART A | 3.3 | Core – IX - | - Topology | 23PMT9 | 5 | 6 |
| | 3.4 | Core – X –I | Fluid Dynamics | 23PMT10 | 4 | 6 |
| | 3.5 | Elective | MATLAB | 23PMTE5A | - 3 | 3 |
| | | 9/10 | Lie Groups and Lie Algebras | 23PMTE5B | 3 | 3 |
| PART B | 3.6 | Skill Enhanc Examination * Mathematic Competitive Examinat * General Stu Examina | cs for NET / UGC – CSIR / SET / TRB ions (2 hours) udies for UPSC / TNPSC / Other Competitive utions (2 hours) – ONLINE EXAM atics for Advanced Research Studies (4 hours) | 23PMTSE2 | 2 | 3 |
| | 3.7 | Internship / | 23PIT | 2 | - | |
| | | | · · · · · · · · · · · · · · · · · · · | | 26 | 30 |

Semester-IV

| Part | SEM | | List of Courses | Sub Code | Cre dits | No. of Hours |
|--------|-----|--------------------------------|--|----------|-------------|-----------------|
| | 4.1 | Core – XI – I | Functional Analysis | 23PMT11 | 5 | 6 |
| | 4.2 | Core – XII - | -Calculus of Variations and Integral | 23PMT12 | 5 | 6 |
| PART A | | Equations | | | | |
| | 4.3 | Project with | VIVA VOCE | 23PMTP | 7 | 10 |
| | 4.4 | Elective – Sampling Techniques | | 23PMTE6A | 3 | 4 |
| | | VI | Mathematical Python | 23PMTE6B | 5 | 4 |
| PART B | 4.5 | Skill Enhanc | ement Course – III - Office Automation | 23PMTSE3 | 2 | 4 |
| | | and ICT Too | bls | | | |
| PART C | 4.6 | Extension A | ctivity | 23PEA | 1 | - |
| | | • | | | 23 | 30 |

Total 91 Credits for PG Courses

Institution-Industry-Interaction (Industry aligned Courses)

Programmes /course work/ field study/ Modelling the Industry Problem/ Statistical Analysis / Commerce-Industry related problems / MoU with Industry and the like activities.

Syllabus for M.Sc Mathematics

| Title of the | e Course | ALGEBRA | IC ST | RUCTUR | ES | | | | | | |
|--------------|-----------------|---|----------|--------------|----------------|--------|----------|----------------|--|--|--|
| Paper Nur | nber | CORE I | | | | | | | | | |
| Categor y | Core | Year | Ι | Credits | 5 | Cou | rse | | | | |
| | | Semester | Ι | | | Cod | e | 23PMT1 | | | |
| | | | | | | | | | | | |
| Instruction | nal Hours | Lecture | Tuto | rial | Lab Pract | tice | Tota | 1 | | | |
| per week | | 5 | 2 | | | | 7 | | | | |
| Pre-requis | ite | UG level Modern Algebra | | | | | | | | | |
| Objectives | of the | To introdu | ice | the conce | epts and | to | deve | elop working | | | |
| Course | | knowledge of | on cla | ss equation | n, solvability | y of | group | s, finite | | | |
| | | abelian group | os, line | ar transform | ations, real c | quadra | atic for | ms | | | |
| Course Ou | ıtline | UNIT-I:Co | unting | Principle - | Class equa | tion f | or fini | te groups and | | | |
| | | its applicatio | ns - Sy | low's theor | ems (For the | eorem | n 2.12. | 1, First proof | | | |
| | | only). | | | | | | | | | |
| | | Chapter 2: Sections 2.11 and 2.12 (Omit Lemma 2.12.5) | | | | | | | | | |
| | | UNIT-II: Solvable groups - Direct products - Finite abelian | | | | | | | | | |
| | | groups- Modules | | | | | | | | | |
| | | Chapter 5: Section 5.7 (Lemma 5.7.1, Lemma 5.7.2, Theorem | | | | | | | | | |
| | | 5.7.1) | | | | | | | | | |
| | | Chapter 2: Section 2.13 and 2.14 (Theorem 2.14.1 only) | | | | | | | | | |
| | | Chapter 4: Section 4.5 | | | | | | | | | |
| | | UNIT-III : Linear Transformations: Canonical forms | | | | | | | | | |
| | | —Triangular form - Nilpotent transformations. | | | | | | | | | |
| | | Chapter 6: Sections 6.4, 6.5 | | | | | | | | | |
| | | UNIT-IV : Jordan form - rational canonical form. | | | | | | | | | |
| | | Chapter 6 : Sections 6.6 and 6.7 | | | | | | | | | |
| | | UNIT-V: Trace and transpose - Hermitian, unitary, normal | | | | | | | | | |
| | | transformations, real quadratic form. | | | | | | | | | |
| | | Chapter 6 : Sections 6.8, 6.10 and 6.11 (Omit 6.9) | | | | | | | | | |
| Extended | Professional | Questions | relate | | | topi | | from various | | | |
| - | t (is a part of | - | | | | / NE | T / U | JGC - CSIR / | | | |
| | mponent only, | GATE / TNPSC / others to be solved | | | | | | | | | |
| | ncluded in the | (To be discussed during the Tutorial hour) | | | | | | | | | |
| External Ex | | | | | | | | | | | |
| question pa | iper) | | | | | | | | | | |
| | | | | | | | | | | | |

| Skills acquired from | Knowledge, Problem Solving, Analytical ability, Professional | | | | | | |
|----------------------|--|--|--|--|--|--|--|
| this course | Competency, Professional Communication and Transferrable Skill | | | | | | |
| | | | | | | | |
| Recommended Text | I.N. Herstein. Topics in Algebra (II Edition) Wiley Eastern | | | | | | |
| | Limited, New Delhi, 1975. | | | | | | |
| Reference Books | <i>l.</i> M.Artin, Algebra, Prentice Hall of India, 1991. | | | | | | |
| | 2. P.B.Bhattacharya, S.K.Jain, and S.R.Nagpaul, Basic Abstract | | | | | | |
| | Algebra (II Edition) Cambridge University Press, 1997. (Indian | | | | | | |
| | Edition) | | | | | | |
| | 3. I.S.Luther and I.B.S.Passi, Algebra, Vol. I — Groups(1996); | | | | | | |
| | Vol. II Rings, Narosa Publishing House, New Delhi, 1999 | | | | | | |
| | 4. D.S.Malik, J.N. Mordeson and M.K.Sen, Fundamental of | | | | | | |
| | Abstract Algebra, McGraw Hill (International Edition), New | | | | | | |
| | York. 1997. | | | | | | |
| | 5. N.Jacobson, Basic Algebra, Vol. I & II W.H.Freeman (1980); also | | | | | | |
| | published by Hindustan Publishing Company, New Delhi. | | | | | | |
| | | | | | | | |
| | | | | | | | |
| Website and | http://mathforum.org.http://ocw.mit.edu/ocwweb/Mathematics, | | | | | | |
| e-Learning Source | http://www.opensource.org, www.algebra.com | | | | | | |
| | | | | | | | |
| L | | | | | | | |

Course Learning Outcome (for Mapping with POs and PSOs)

Students will be able to

CLO 1: Recall basic counting principle, define class equations to solve problems, explain Sylow's theorems and apply the theorem to find number of Sylow subgroups **CLO 2:** Define Solvable groups, define direct products, examine the properties of finite abelian groups, define modules

CLO 3: Define similar Transformations, define invariant subspace, explore the properties of triangular matrix, to find the index of nilpotence to decompose a space into invariant subspaces, to find invariants of linear transformation, to explore the properties of nilpotent transformation relating nilpotence with invariants.

CLO 4: Define Jordan, canonical form, Jordan blocks, define rational canonical form, define

companion matrix of polynomial, find the elementary devices of transformation, apply the concepts to find characteristic polynomial of linear transformation.

CLO 5: Define trace, define transpose of a matrix, explain the properties of trace and transpose, to find trace, to find transpose of matrix, to prove Jacobson lemma using the triangular form, define symmetric matrix, skew symmetric matrix, adjoint, to define Hermitian, unitary, normal transformations and to verify whether the transformation in Hermitian, unitary and normal

| | | | PSOs | | | | | | |
|------|---|---|------|---|---|---|---|---|---|
| | 1 | 2 | 3 | 4 | 5 | 6 | 1 | 2 | 3 |
| CLO1 | 3 | 1 | 3 | 2 | 3 | 3 | 3 | 2 | 1 |
| CLO2 | 2 | 1 | 3 | 1 | 3 | 3 | 3 | 2 | 1 |
| CLO3 | 3 | 2 | 3 | 1 | 3 | 3 | 3 | 2 | 1 |
| CLO4 | 1 | 2 | 3 | 2 | 3 | 3 | 3 | 2 | 1 |
| CLO5 | 3 | 1 | 2 | 3 | 3 | 3 | 3 | 2 | 1 |

| Title of the Course Paper Number | | REAL ANALYSIS I | | | | | | | | | | |
|-------------------------------------|---------|---|--|----------|---------------|---------------|----------|---------|--------------------|--|--|--|
| _ | | CORE II Year I Credits 5 Course | | | | | | | | | | |
| Category | Core | YearISemesterI | | | Credits | 5 | Cou | | 23PMT2 | | | |
| Instructiona | l Hours | Lecture | | Tuto | rial | Lab Pra | ctice | Tota | 1 1 | | | |
| per week | | 5 | | 2 | | | | 7 | | | | |
| - Pre-requisi | te | UG level realanalysis concepts | | | | | | | | | | |
| Objectives (| | | | - | | tions of b | ounded | l vari | ation, Riemann- | | | |
| Course | | Stieltjes Ir | ntegra | tion, | convergenc | ce of int | finite s | series, | infinite product | | | |
| | | and uniform | n con | verger | nce and its i | interplay | | | | | | |
| | | between va | rious | limitii | ng operation | ns. | | | | | | |
| Course Out | tline | UNIT-I:F | uncti | ions of | f bounded | variation | - Introd | luction | n - Properties of | | | |
| | | monotonic | funct | ions - | Functions of | of bounde | d variat | tion - | Total variation - | | | |
| | | Additive pr | opert | yoftot | al variation | n - Total var | riation | on [a, | x] as a function | | | |
| | | of x - Func | tions | of bou | inded varia | tion expre | ssed as | the d | ifference of two | | | |
| | | increasing f | functi | ions - (| Continuous | functions | of bour | nded v | ariation. | | | |
| | | Chapter — | 6 : Se | ection | s 6.1 to 6.8 | | | | | | | |
| | | Infinite Series : Absolute and conditional convergence - Dirichlet's test | | | | | | | | | | |
| | | and Abel's test - Rearrangement of series - Riemann's theorem on | | | | | | | | | | |
| | | conditionally convergent series. | | | | | | | | | | |
| | | Chapter 8 : Sections 8.8, 8.15, 8.17, 8.18 | | | | | | | | | | |
| | | UNIT-II: The Riemann - Stieltjes Integral - Introduction - Notation - The | | | | | | | | | | |
| | | definition of the Riemann - Stieltjes integral - Introduction - Notation - The | | | | | | | | | | |
| | | Integration by parts- Change of variable in a Riemann | | | | | | | | | | |
| | | - Stieltjes integral - Reduction to a Riemann Integral — Euler's | | | | | | | | | | |
| | | | summation formula - Monotonically increasing integrators, Upper and | | | | | | | | | |
| | | | | | | • | - | - | | | | |
| | | - | lower integrals - Additive and linearity properties of upper, lower integrals - Riemann's condition - Comparison theorems. | | | | | | | | | |
| | | Chapter - ' | | | | - | | | | | | |
| | | _ | | | | | ral - Ir | ntegra | tors of bounded | | | |
| | | | | | | | | | emann- Stieltjes | | | |
| | | | | | | | | | integrals- Mean | | | |
| | | - | | • | | | | | rval – Second | | | |
| | | | | - | | | | | variable -Second | | | |
| | | | | | | | | | tieltjes integrals | | | |
| | | | | | | - | | | | | | |
| | | depending on a parameter- Differentiation under integral sign-Lebesgue criteriaon for | | | | | | | | | | |
| | | existence of | | mann i | ntegrals. C | hapter - 7 | 7 : 7.15 | to 7.2 | 26 | | | |
| | | | | | | | | | | | | |

| | UNIT-IV : Infinite Series and infinite Products - Double sequences |
|---|--|
| | - Double series - Rearrangement theorem for double series - A sufficient |
| | condition for equality of iterated series - Multiplication of series — Cesaro summability - Infinite products. |
| | Chapter - 8 Sec, 8.20, 8.21 to 8.26 |
| | Power series - Multiplication of power series - The Taylor's series generated by a function - Bernstein's theorem - Abel's limit theorem - |
| | Tauber's theorem |
| | Chapter 9 : Sections 9.14 9.15, 9.19, 9.20, 9.22, 9.23 |
| | UNIT-V: Sequences of Functions — Pointwise convergence of sequences of functions - Examples of sequences of real - valued functions - Uniform convergence and continuity - Cauchy condition for uniform convergence - Uniform convergence of infinite series of functions - Riemann - Stieltjes integration — Non- uniform Convergence and Term-by-term Integration - Uniform convergence and differentiation - Sufficient condition for uniform convergence of a series - Mean convergence. Chapter -9 Sec 9.1 to 9.6, 9.8,9.9,9.10,9.11, 9.13 |
| Extended Professional Component (is a part of internal component only, Not to be included in the External | Questions related to the above topics, from various competitive examinations UPSC / TRB / NET / UGC — CSIR / GATE / TNPSC / others to be solved (To be discussed during the Tutorial hour) |
| Examination question paper) | |
| Skills acquired from this course | Knowledge, Problem Solving, Analytical ability, Professional Competency, Professional Communication and Transferrable Skill |
| Recommended Text | Tom M. Apostol : Mathematical Analysis, 2 nd Edition, Addison- Wesley Publishing Company Inc. New York, 1974. |
| | |

| Reference Books | 1. Bartle, R.G. Real Analysis, John Wiley and Sons Inc., 1976. |
|------------------------|---|
| | 2. Rudin,W. Principles of Mathematical Analysis, 3 rd Edition. |
| | McGraw Hill Company, New York, 1976. |
| | 3. Malik,S.C. and Savita Arora. Mathematical Anslysis, Wiley |
| | Eastern Limited.New Delhi, 1991. |
| | 4. Sanjay Arora and Bansi Lal, Introduction to Real Analysis, Satya |
| | Prakashan, New Delhi, 1991. |
| | 5. Gelbaum, B.R. and J. Olmsted, Counter Examples in Analysis, |
| | Holden day, San Francisco, 1964. |
| | 6. A.L.Gupta and N.R.Gupta, Principles of Real Analysis, Pearson |
| | Education, (Indian print) 2003. |
| Website and | http://mathforum.org, http://ocw.mit.edu/ocwweb/Mathematics, |
| e-Learning Source | http://www.opensource.org, www.mathpages.com |

$Course Learning \, Outcome (for \, Mapping \, with \, POs \, and \, PSOs)$

Students will be able to

CLO1: Analyze and evaluate functions of bounded variation and Rectifiable Curves. **CLO2:**

Describe the concept of Riemann-Stieltjes integral and its properties.

CLO3: Demonstrate the concept of step function, upper function, Lebesgue function and their integrals.

CLO4: Construct various mathematical proofs using the properties of Lebesgue integrals and establish the Levi monotone convergence theorem.

CLO5: Formulate the concept and properties of inner products, norms and measurable functions.

| | | | | PSOs | | | | | |
|------|---|---|---|------|---|---|---|---|---|
| | 1 | 2 | 3 | 4 | 5 | 6 | 1 | 2 | 3 |
| CLO1 | 3 | 1 | 3 | 2 | 3 | 3 | 3 | 2 | 1 |
| CLO2 | 2 | 1 | 3 | 1 | 3 | 3 | 3 | 2 | 1 |
| CLO3 | 3 | 2 | 3 | 1 | 3 | 3 | 3 | 2 | 1 |
| CLO4 | 1 | 2 | 3 | 2 | 3 | 3 | 3 | 2 | 1 |
| CLO5 | 3 | 1 | 2 | 3 | 3 | 3 | 3 | 2 | 1 |

| Category Core Year I Credits 4 Course Code 23PMT3 Instructional Hours Lecture Tutorial Lab Practice Total Total 5 1 6 6 6 Pre-requisite UG level Calculus and Differential Equations To develop strong background on finding solutions to linear differential equations with constant and variable coefficients and also with singular points, to study existence and uniqueness of the solutions of first order differentialequations UNIT-I : Linear equations with constant coefficients Second order homogeneous equation of order two. Course Outline UNIT-I : Linear equation of order two. Course independence and independence-Wronskian and a formula for Wronskian-Non-homogeneous equation of order two. | D N I | ırse | ORDINAL | RY D | IFFE | RENTIAL | EQUAT | TIONS | | | |
|---|----------------------|-------|--|---|---------|-------------|------------|-----------|----------|--------------------|--|
| Semester I Code 23PM13 instructional Hours per week 5 1 6 Pre-requisite UG level Calculus and Differential Equations 6 0 Dbjectives of the Course To develop strong background on finding solutions to linear differential equations with constant and variable coefficients and also with singular points, to study existence and uniqueness of the solutions of first order differentialequations 0 0 Course Outline UNIT-1 : Linear equations with constant coefficients Second order homogeneous equation of order two. Chapter 2: Sections 1 to 6 UNIT-II : Linear equations with constant coefficients Homogeneous equation of order n —Initial value problems- Annihilator method to solve non-homogeneous equation - Algebra of constant coefficient operators. Chapter 2: Sections 7 to 12. UNIT-II : Linear equation with variable coefficients Initial value problems - Existence and uniqueness theorems — Solutions tosolve anon-homogeneous equation — Wronskian and linear dependence — reduction of the order of a homogeneous equation — homogeneous equation with analytic coefficients-The Legendre equation. Chapter : 3 Sections 1 to 8 (Omit section 9) UNIT-IV : Linear equation with regular singular points Euler equation — Second order equations with regular singular points —Exceptional cases — Bessel Function. Chapter : 3 Sections 1 to 4 and 6 to 8 (Omit sections 5 and 9) UNIT-V : Existence and uniqueness | Paper Number | | CORE III Vear | T | | Credits | 4 | Соц | rse | | |
| Instructional Hours Lecture Tutorial Lab Practice Total per week 5 1 6 Pre-requisite UG level Calculus and Differential Equations 5 1 6 Objectives of the To develop strong background on finding solutions to linear differential equations with constant and variable coefficients and also with singular points, to study existence and uniqueness of the solutions of first order differentialequations 6 Course Outline UNIT-I : Linear equations with constant coefficients Second order homogeneous equation of order two. Chapter 2: Sections 1 to 6 UNIT-II : Linear equations with constant coefficients Homogeneous and non-homogeneous equation of order n — Initial value problems-Annihilator method to solve non-homogeneous equation - Algebra of constant coefficient operators. Chapter 2: Sections 7 to 12. UNIT-III : Linear equation with variable coefficients Initial value problems - Existence and uniqueness theorems — Solutions tosolve anon-homogeneous equation — Wronskian and linear dependence — reduction of the order of a homogeneous equation - homogeneous equation analytic coefficients. The Legendre equation. Chapter : 3 Sections 1 to 8 (Omit section 9) UNIT-IV : Linear equation with regular singular points UUNIT-V : Existence and uniqueness of solutions to first order equations: Equation = Second order equations. | | | | | | Creans | | | | 23PMT3 | |
| per week 5 1 6 Pre-requisite UG level Calculus and Differential Equations To develop strong background on finding solutions to linear differential equations with constant and variable coefficients and also with singular points, to study existence and uniqueness of the solutions of first order differentialequations Course Outline UNT-1: Linear equations with constant coefficients Second order homogeneous equations-Initial value problems- Linear dependence and independence-Wronskian and a formula for Wronskian-Non-homogeneous equation of order two. Chapter 2: Sections 1 to 6 UNT1-II : Linear equations with constant coefficients Annihilator method to solve non-homogeneous equation - Algebra of constant coefficient operators. Chapter 2: Sections 7 to 12. UNT1-II : Linear equation with variable coefficients Initial value problems - Existence and uniqueness theorems — Solutions to solve anon-homogeneous equation — Wronskian and linear dependence — reduction of the order of a homogeneous equation — homogeneous equation with nalytic coefficients-The Legendre equation. Chapter : 3 Sections 1 to 8 (Omit section 9) UNT1-IV : Linear equation with regular singular points — Exceptional cases — Bessel Function. Chapter 4 : Sections 1 to 4 and 6 to 8 (Omit sections 5 and 9) UNT1-V : Existence and uniqueness of solutions to first order equations: Equation with variable separated — Exact equatio — convergence of the successive | Instructional H | Iours | | _ | Tuto | rial | Lab Pr | actice | Tota | al | |
| Objectives of the Course To develop strong background on finding solutions to linear differential equations with constant and variable coefficients and also with singular points, to study existence and uniqueness of the solutions of first order differentialequations Course Outline UNIT-I: Linear equations with constant coefficients Second order homogeneous equations-Initial value problems- Linear dependence and independence-Wronskian and a formula for Wronskian- Non-homogeneous equation of order two. Chapter 2: Sections 1 to 6 UNIT-II: Linear equations with constant coefficients Homogeneous and non-homogeneous equation of order n —Initial value problems- Annihilator method to solve non-homogeneous equation- Algebra of constant coefficient operators. Chapter 2: Sections 7 to 12. UNIT-III: Linear equation with variable coefficients Initial value problems - Existence and uniqueness theorems — Solutions to solve a non-homogeneous equation — Wronskian and linear dependence — reduction of the order of a homogeneous equation — homogeneous equation with analytic coefficients-The Legendre equation. Chapter : 3 Sections 1 to 8 (Omit section 9) UNIT-IV: Linear equation with regular singular points —Exceptional cases — Bessel Function. Chapter 4 : Sections 1 to 4 and 6 to 8 (Omit sections 5 and 9) UNIT-IV : Existence and uniqueness of solutions to first order equations: Equation with variable separated — Exact equation — method of successive approximations — the Lipschitz condition convergence of the successive approximations and the existence theorem. | per week | | | | 1 | | | | 6 | | |
| Course equations with constant and variable coefficients and also with singular points, to study existence and uniqueness of the solutions of first order differentialequations Course Outline UNIT-I: Linear equations with constant coefficients Second order homogeneous equations-Initial value problems- Linear dependence and independence-Wronskian and a formula for Wronskian-Non-homogeneous equation of order two. Chapter 2: Sections 1 to 6 UNIT-II: Linear equations with constant coefficients Homogeneous and non-homogeneous equation of order n —Initial value problems-Annihilator method to solve non-homogeneous equation - Algebra of constant coefficient operators. Chapter 2: Sections 7 to 12. UNIT-III: Linear equation with variable coefficients Initial value problems -Existence and uniqueness theorems — Solutions to solve a non-homogeneous equation —Wronskian and linear dependence — reduction of the order of a homogeneous equation - homogeneous equation. Chapter : 3 Sections 1 to 8 (Omit section 9) UNIT-IV: Linear equation with regular singular points —Exceptional cases — Bessel Function. Chapter 4 : Sections 1 to 4 and 6 to 8 (Omit sections 5 and 9) UNIT-V : Existence and uniqueness of solutions to first order equations: Equation with variable separated — Exact equation — method of successive approximations — the Lipschitz condition — convergence of the successive approximations and the existence theorem. | Pre-requisite | | | | | | | | | | |
| points, to study existence and uniqueness of the solutions of first order differentialequations Course Outline UNIT-1: Linear equations with constant coefficients Second order homogeneous equations-Initial value problems- Linear dependence and independence-Wronskian and a formula for Wronskian- Non-homogeneous equation of order two. Chapter 2: Sections 1 to 6 UNIT-II: Linear equations with constant coefficients Homogeneous and non-homogeneous equation of order n —Initial value problems- Annihilator method to solve non-homogeneous equation - Algebra of constant coefficient operators. Chapter 2: Sections 7 to 12. UNIT-III: Linear equation with variable coefficients Initial value problems -Existence and uniqueness theorems — Solutions to solve a non-homogeneous equation —Wronskian and linear dependence — reduction of the order of a homogeneous equation – homogeneous equation with analytic coefficients-The Legendre equation. Chapter : 3 Sections 1 to 8 (Omit section 9) UNIT-IV: Linear equation with regular singular points —Exceptional cases — Bessel Function. Chapter 4: Sections 1 to 4 and 6 to 8 (Omit sections 5 and 9) UNIT-V : Existence and uniqueness of solutions to first order equations: Equation with variable separated — Exact equation — method of successive approximations — the Lipschitz condition — convergence of the successive approximations and the existence theorem. | Objectives of | the | To develop | stro | ng bac | kground or | n finding | solution | is to li | inear differential | |
| the solutions of first order differentialequations Course Outline UNIT-I: Linear equations with constant coefficients Second order homogeneous equations-Initial value problems- Linear dependence and independence-Wronskian and a formula for Wronskian-Non-homogeneous equation of order two. Chapter 2: Sections 1 to 6 UNIT-II: Linear equations with constant coefficients Homogeneous and non-homogeneous equation of order n —Initial value problems-Annihilator method to solve non-homogeneous equation-Algebra of constant coefficient operators. Chapter 2: Sections 7 to 12. UNIT-III: Linear equation with variable coefficients Initial value problems -Existence and uniqueness theorems — Solutionsto solve a non-homogeneous equation —Wronskian and linear dependence — reduction of the order of a homogeneous equation - homogeneous equation. Chapter : 3 Sections 1 to 8 (Omit section 9) UNIT-IV: Linear equation with regular singular points Euler equation – Second order equations with regular singular points —Exceptional cases — Bessel Function. Chapter 4 : Sections 1 to 4 and 6 to 8 (Omit sections 5 and 9) UNIT-V : Existence and uniqueness of solutions to first order equations: Equation with variable separated — Exact equatio — convergence of the successive approximations and the existence theorem. | Course | | equations w | vith c | onstan | t and varia | ble coeffi | icients a | nd als | so with singular | |
| Course Outline UNIT-I: Linear equations with constant coefficients Second order homogeneous equations-Initial value problems- Linear dependence and independence-Wronskian and a formula for Wronskian-Non-homogeneous equation of order two. Chapter 2: Sections 1 to 6 UNIT-II: Linear equations with constant coefficients Homogeneous and non-homogeneous equation of order n —Initial value problems-Annihilator method to solve non-homogeneous equation- Algebra of constant coefficient operators. Chapter 2: Sections 7 to 12. UNIT-III: Linear equation with variable coefficients Initial value problems - Existence and uniqueness theorems – Solutionsto solve a non-homogeneous equation —Wronskian and linear dependence — reduction of the order of a homogeneous equation – homogeneous equation. Chapter : 3 Sections 1 to 8 (Omit section 9) UNIT-IV: Linear equation with regular singular points Euler equation – Second order equations with regular singular points —Exceptional cases — Bessel Function. Chapter 4: Sections 1 to 4 and 6 to 8 (Omit sections 5 and 9) UNIT-IV: Existence and uniqueness of solutions to first order equations: Equation with variable separated — Exact equatio — method of successive approximations and the existence theorem. | | | - | - | | | - | | | | |
| Second order homogeneous equations-Initial value problems- Linear dependence and independence-Wronskian and a formula for Wronskian-Non-homogeneous equation of order two. Chapter 2: Sections 1 to 6 UNIT-II : Linear equations with constant coefficients Homogeneous and non-homogeneous equation of order n —Initial value problems-Annihilator method to solve non-homogeneous equation- Algebra of constant coefficient operators. Chapter 2 : Sections 7 to 12. UNIT-III : Linear equation with variable coefficients Initial value problems -Existence and uniqueness theorems — Solutions to solve a non-homogeneous equation —Wronskian and linear dependence — reduction of the order of a homogeneous equation — homogeneous equation. Chapter : Sections 1 to 8 (Omit section 9) UNIT-IV : Linear equation with regular singular points —Exceptional cases — Bessel Function. Chapter 4 : Sections 1 to 4 and 6 to 8 (Omit sections 5 and 9) UNIT-V : Existence and uniqueness of solutions to first order equations: Equation with variable separated — Exact equation — method of successive approximations and the existence theorem. | | | | | | | | | | | |
| dependence and independence-Wronskian and a formula for Wronskian-Non-homogeneous equation of order two. Chapter 2: Sections 1 to 6 UNIT-II : Linear equations with constant coefficients Homogeneous and non-homogeneous equation of order n —Initial value problems-Annihilator method to solve non-homogeneous equation- Algebra of constant coefficient operators. Chapter 2 : Sections 7 to 12. UNIT-III : Linear equation with variable coefficients Initial value problems -Existence and uniqueness theorems — Solutions to solve a non-homogeneous equation —Wronskian and linear dependence — reduction of the order of a homogeneous equation — homogeneous equation. Chapter : 3 Sections 1 to 8 (Omit section 9) UNIT-IV : Linear equation with regular singular points —Exceptional cases — Bessel Function. Chapter 4 : Sections 1 to 4 and 6 to 8 (Omit sections 5 and 9) UNIT-V : Existence and uniqueness of solutions to first order equations: Equation with variable separated — Exact equation — method of successive approximations and the existence theorem. | Course Outlin | e | | | _ | | | | | | |
| Non-homogeneous equation of order two.Chapter 2: Sections 1 to 6UNIT-II : Linear equations with constant coefficients Homogeneous and non-homogeneous equation of order n —Initial value problems. Annihilator method to solve non-homogeneous equation- Algebra of constant coefficient operators.Chapter 2 : Sections 7 to 12.UNIT-III : Linear equation with variable coefficients Initial value problems -Existence and uniqueness theorems — Solutions to solve a non-homogeneous equation —Wronskian and linear dependence — reduction of the order of a homogeneous equation — homogeneous equation with analytic coefficients-The Legendre equation.Chapter : 3 Sections 1 to 8 (Omit section 9)UNIT-IV : Linear equation with regular singular points —Exceptional cases — Bessel Function.Chapter 4 : Sections 1 to 4 and 6 to 8 (Omit sections 5 and 9)UNIT-V : Existence and uniqueness of solutions to first order equations: Equation with variable separated — Exact equation — method of successive approximations and the existence theorem. | | | | | - | - | | | - | | |
| Chapter 2: Sections 1 to 6 UNIT-II : Linear equations with constant coefficients Homogeneous and non-homogeneous equation of order n —Initial value problems. Annihilator method to solve non-homogeneous equation- Algebra of constant coefficient operators. Chapter 2 : Sections 7 to 12. UNIT-III : Linear equation with variable coefficients Initial value problems -Existence and uniqueness theorems — Solutionsto solve a non-homogeneous equation —Wronskian and linear dependence — reduction of the order of a homogeneous equation — homogeneous equation with analytic coefficients-The Legendre equation. Chapter : 3 Sections 1 to 8 (Omit section 9) UNIT-IV : Linear equation with regular singular points Euler equation — Second order equations with regular singular points —Exceptional cases — Bessel Function. Chapter 4 : Sections 1 to 4 and 6 to 8 (Omit sections 5 and 9) UNIT-V : Existence and uniqueness of solutions to first order equations: Equation with variable separated — Exact equation — method of successive approximations — the Lipschitz condition — convergence of the successive approximations and the existence theorem. | | | dependence and independence-Wronskian and a formula for Wronskian- | | | | | | | | |
| UNIT-II : Linear equations with constant coefficients Homogeneous and non-homogeneous equation of order n —Initial value problems-Annihilator method to solve non-homogeneous equation- Algebra of constant coefficient operators. Chapter 2 : Sections 7 to 12. UNIT-III : Linear equation with variable coefficients Initial value problems -Existence and uniqueness theorems — Solutions to solve a non-homogeneous equation —Wronskian and linear dependence — reduction of the order of a homogeneous equation — homogeneous equation with analytic coefficients-The Legendre equation. Chapter : 3 Sections 1 to 8 (Omit section 9) UNIT-IV :Linear equation with regular singular points Euler equation — Second order equations. Chapter 4 : Sections 1 to 4 and 6 to 8 (Omit sections 5 and 9) UNIT-V : Existence and uniqueness of solutions to first order equations: Equation with variable separated — Exact equation — method of successive approximations — the Lipschitz condition — convergence of the successive approximations and the existence theorem. | | | | | | | | | | | |
| and non-homogeneous equation of order n —Initial value problems. Annihilator method to solve non-homogeneous equation- Algebra of constant coefficient operators. Chapter 2 : Sections 7 to 12. UNIT-III : Linear equation with variable coefficients Initial value problems -Existence and uniqueness theorems — Solutions to solve a non-homogeneous equation — Wronskian and linear dependence — reduction of the order of a homogeneous equation — homogeneous equation with analytic coefficients-The Legendre equation. Chapter : 3 Sections 1 to 8 (Omit section 9) UNIT-IV :Linear equation with regular singular points Euler equation — Second order equations. Chapter 4 : Sections 1 to 4 and 6 to 8 (Omit sections 5 and 9) UNIT-V : Existence and uniqueness of solutions to first order equations: Equation with variable separated — Exact equation — method of successive approximations — the Lipschitz condition — convergence of the successive approximations and the existence theorem. | | | | | | | | | | | |
| Annihilator method to solve non-homogeneous equation- Algebra of constant coefficient operators. Chapter 2 : Sections 7 to 12. UNIT-III : Linear equation with variable coefficients Initial value problems -Existence and uniqueness theorems – Solutions to solve a non-homogeneous equation – Wronskian and linear dependence – reduction of the order of a homogeneous equation – homogeneous equation with analytic coefficients-The Legendre equation. Chapter : 3 Sections 1 to 8 (Omit section 9) UNIT-IV : Linear equation with regular singular points Euler equation – Second order equations. Chapter 4 : Sections 1 to 4 and 6 to 8 (Omit sections 5 and 9) UNIT-V : Existence and uniqueness of solutions to first order equations: Equation with variable separated – Exact equation – method of successive approximations – the Lipschitz condition – convergence of the successive approximations and the existence theorem. | | | UNIT-II : Linear equations with constant coefficients Homogeneous | | | | | | | | |
| constant coefficient operators. Chapter 2 : Sections 7 to 12. UNIT-III : Linear equation with variable coefficients Initial value problems -Existence and uniqueness theorems – Solutions to solve a non-homogeneous equation – Wronskian and linear dependence – reduction of the order of a homogeneous equation – homogeneous equation with analytic coefficients-The Legendre equation. Chapter : 3 Sections 1 to 8 (Omit section 9) UNIT-IV :Linear equation with regular singular points Euler equation – Second order equations with regular singular points —Exceptional cases — Bessel Function. Chapter 4 : Sections 1 to 4 and 6 to 8 (Omit sections 5 and 9) UNIT-V : Existence and uniqueness of solutions to first order equations: Equation with variable separated — Exact equation – method of successive approximations – the Lipschitz condition – convergence of the successive approximations and the existence theorem. | | | | | | | | | | | |
| Chapter 2 : Sections 7 to 12. UNIT-III : Linear equation with variable coefficients Initial value problems -Existence and uniqueness theorems – Solutions to solve a non-homogeneous equation – Wronskian and linear dependence – reduction of the order of a homogeneous equation – homogeneous equation with analytic coefficients-The Legendree equation. Chapter : 3 Sections 1 to 8 (Omit section 9) UNIT-IV :Linear equation with regular singular points Euler equation – Second order equations with regular singular points —Exceptional cases — Bessel Function. Chapter 4 : Sections 1 to 4 and 6 to 8 (Omit sections 5 and 9) UNIT-V : Existence and uniqueness of solutions to first order equations: Equation with variable separated — Exact equation – method of successive approximations – the Lipschitz condition – convergence of the successive approximations and the existence theorem. | | | | | | | | | | | |
| UNIT-III : Linear equation with variable coefficients Initial value problems -Existence and uniqueness theorems – Solutions to solve a non-homogeneous equation – Wronskian and linear dependence – reduction of the order of a homogeneous equation – homogeneous equation with analytic coefficients-The Legendre equation. Chapter : 3 Sections 1 to 8 (Omit section 9) UNIT-IV :Linear equation with regular singular points Euler equation – Second order equations with regular singular points – Exceptional cases – Bessel Function. Chapter 4 : Sections 1 to 4 and 6 to 8 (Omit sections 5 and 9) UNIT-V : Existence and uniqueness of solutions to first order equations: Equation with variable separated – Exact equation – method of successive approximations – the Lipschitz condition – convergence of the successive approximations and the existence theorem. | | | - | | | | | | | | |
| Initial value problems -Existence and uniqueness theorems – Solutions to solve a non-homogeneous equation – Wronskian and linear dependence – reduction of the order of a homogeneous equation – homogeneous equation with analytic coefficients-The Legendre equation. Chapter : 3 Sections 1 to 8 (Omit section 9) UNIT-IV :Linear equation with regular singular points Euler equation – Second order equations with regular singular points —Exceptional cases — Bessel Function. Chapter 4 : Sections 1 to 4 and 6 to 8 (Omit sections 5 and 9) UNIT-V : Existence and uniqueness of solutions to first order equations: Equation with variable separated — Exact equation – method of successive approximations – the Lipschitz condition – convergence of the successive approximations and the existence theorem. | | | - | | | | | | | | |
| Solutions to solve a non-homogeneous equation — Wronskian and linear dependence — reduction of the order of a homogeneous equation — homogeneous equation with analytic coefficients-The Legendre equation. Chapter : 3 Sections 1 to 8 (Omit section 9) UNIT-IV : Linear equation with regular singular points Euler equation — Second order equations with regular singular points — Exceptional cases — Bessel Function. Chapter 4 : Sections 1 to 4 and 6 to 8 (Omit sections 5 and 9) UNIT-V : Existence and uniqueness of solutions to first order equations: Equation with variable separated — Exact equation — method of successive approximations — the Lipschitz condition — convergence of the successive approximations and the existence theorem. | | | _ | | | | | | | | |
| dependence — reduction of the order of a homogeneous equation – homogeneous equation with analytic coefficients-The Legendre equation. Chapter : 3 Sections 1 to 8 (Omit section 9) UNIT-IV :Linear equation with regular singular points Euler equation – Second order equations with regular singular points —Exceptional cases — Bessel Function. Chapter 4 : Sections 1 to 4 and 6 to 8 (Omit sections 5 and 9) UNIT-V : Existence and uniqueness of solutions to first order equations: Equation with variable separated — Exact equation — method of successive approximations — the Lipschitz condition — convergence of the successive approximations and the existence theorem. | | | | - | | | | - | | | |
| homogeneous equation with analytic coefficients-The Legendre equation. Chapter : 3 Sections 1 to 8 (Omit section 9) UNIT-IV :Linear equation with regular singular points Euler equation – Second order equations with regular singular points —Exceptional cases — Bessel Function. Chapter 4 : Sections 1 to 4 and 6 to 8 (Omit sections 5 and 9) UNIT-V : Existence and uniqueness of solutions to first order equations: Equation with variable separated — Exact equation — method of successive approximations — the Lipschitz condition — convergence of the successive approximations and the existence theorem. | | | | | | 0 | - | | | | |
| equation. Chapter : 3 Sections 1 to 8 (Omit section 9) UNIT-IV :Linear equation with regular singular points Euler equation – Second order equations with regular singular points —Exceptional cases — Bessel Function. Chapter 4 : Sections 1 to 4 and 6 to 8 (Omit sections 5 and 9) UNIT-V : Existence and uniqueness of solutions to first order equations: Equation with variable separated — Exact equation — method of successive approximations — the Lipschitz condition — convergence of the successive approximations and the existence theorem. | | | - | | | | | | - | - | |
| UNIT-IV :Linear equation with regular singular points Euler equation – Second order equations with regular singular points —Exceptional cases — Bessel Function. Chapter 4 : Sections 1 to 4 and 6 to 8 (Omit sections 5 and 9) UNIT-V : Existence and uniqueness of solutions to first order equations: Equation with variable separated — Exact equation — method of successive approximations — the Lipschitz condition — convergence of the successive approximations and the existence theorem. | | | | | | | | | | | |
| Euler equation – Second order equations with regular singular points —Exceptional cases — Bessel Function. Chapter 4 : Sections 1 to 4 and 6 to 8 (Omit sections 5 and 9) UNIT-V : Existence and uniqueness of solutions to first order equations: Equation with variable separated — Exact equation — method of successive approximations — the Lipschitz condition — convergence of the successive approximations and the existence theorem. | | | | | | | | | | | |
| —Exceptional cases — Bessel Function. Chapter 4 : Sections 1 to 4 and 6 to 8 (Omit sections 5 and 9) UNIT-V : Existence and uniqueness of solutions to first order equations: Equation with variable separated — Exact equation — method of successive approximations — the Lipschitz condition — convergence of the successive approximations and the existence theorem. | | | | | - | | - | - | - | | |
| Chapter 4 : Sections 1 to 4 and 6 to 8 (Omit sections 5 and 9) UNIT-V : Existence and uniqueness of solutions to first order equations: Equation with variable separated — Exact equation — method of successive approximations — the Lipschitz condition — convergence of the successive approximations and the existence theorem. | | | - | | | | - | with reg | gular | singular points | |
| UNIT-V : Existence and uniqueness of solutions to first order equations: Equation with variable separated — Exact equation — method of successive approximations — the Lipschitz condition — convergence of the successive approximations and the existence theorem. | | | _ | | | | | | | | |
| equations: Equation with variable separated — Exact equation — method of successive approximations — the Lipschitz condition — convergence of the successive approximations and the existence theorem. | | | _ | | | | | | | | |
| method of successive approximations — the Lipschitz condition — convergence of the successive approximations and the existence theorem. | | | | | | | - | | | | |
| convergence of the successive approximations and the existence theorem. | | | - | - | | | _ | | | - | |
| theorem. | | | | | | | | | - | | |
| | | | | ce of | the | successive | approx | imation | s and | the existence | |
| Chapter 5 : Sections 1 to 8 (Omit Sections 7 to 9) | | | | | | | | | | | |
| | | | | Chapter 5 : Sections 1 to 6 (Omit Sections 7 to 9) | | | | | | | |
| | | | | : Sec | tions] | | | | , | | |

| Extended | Questions related to the above topics, from various competitive | | | | | | |
|--|---|--|--|--|--|--|--|
| Professional | examinations UPSC / TRB / NET / UGC - CSIR / GATE / TNPSC / | | | | | | |
| Component (is a part | others to be solved | | | | | | |
| of internal | (To be discussed during the Tutorial hour) | | | | | | |
| component only, | | | | | | | |
| Not to be included in | | | | | | | |
| the External | | | | | | | |
| Examination | | | | | | | |
| question paper) | | | | | | | |
| Skills acquired | Knowledge, Problem Solving, Analytical ability, Professional | | | | | | |
| from this course | Competency, Professional Communication and Transferrable Skill | | | | | | |
| Recommended E.A.Coddington, A introduction to ordinary differential equations | | | | | | | |
| Text | (3 rd Printing) Prentice-Hall of India Ltd., New Delhi, 1987. | | | | | | |
| Reference Books | 1. Williams E. Boyce and Richard C. DI Prima, Elementary | | | | | | |
| | differential equations and boundary value problems, John Wiley | | | | | | |
| | and sons, New York, 1967. | | | | | | |
| | 2. George F Simmons, Differential equations with applications and | | | | | | |
| | historical notes, Tata McGraw Hill, New Delhi, 1974. | | | | | | |
| | 3. N.N. Lebedev, Special functions and their applications, Prentice Hall of | | | | | | |
| | India, New Delhi, 1965. | | | | | | |
| | 4. W.T. Reid. Ordinary Differential Equations, John Wiley and Sons, | | | | | | |
| | New York, 1971 | | | | | | |
| | 5. M.D.Raisinghania, Advanced Differential Equations, S.Chand & | | | | | | |
| | Company Ltd. New Delhi2001 | | | | | | |
| | 6. B.Rai, D.P.Choudary and H.I. Freedman, A Course in Ordinary | | | | | | |
| | Differential Equations, Narosa Publishing House, New Delhi, | | | | | | |
| | 2002. | | | | | | |
| Website and | http://mathforum.org, http://ocw.mit.edu/ocwweb/Mathematics, | | | | | | |
| e-Learning Source | http://www.opensource.org, www.mathpages.com | | | | | | |
| 0 | | | | | | | |

$Course Learning \, Outcome (for \, Mapping \, with \, POs \, and \, PSOs)$

Students will be able to

CLO1: Establish the qualitative behavior of solutions of systems of differential equations .

CLO2: Recognize the physical phenomena modeled by differential equations and dynamical systems.

CLO3: Analyze solutions using appropriate methods and give examples.

CLO4: Formulate Green's function for boundary value problems.

| | | POs | | | | | | | |
|------|---|-----|---|---|---|---|---|---|---|
| | 1 | 2 | 3 | 4 | 5 | 6 | 1 | 2 | 3 |
| CLO1 | 3 | 1 | 3 | 2 | 3 | 3 | 3 | 2 | 1 |
| CLO2 | 2 | 1 | 3 | 1 | 3 | 3 | 3 | 2 | 1 |
| CLO3 | 3 | 2 | 3 | 1 | 3 | 3 | 3 | 2 | 1 |
| CLO4 | 1 | 2 | 3 | 2 | 3 | 3 | 3 | 2 | 1 |
| CLO5 | 3 | 1 | 2 | 3 | 3 | 3 | 3 | 2 | 1 |

CLO5: Understand and use various theoretical ideas and results that underlie the mathematics in this course.

| | | ADVANC | ED A | LGE | BRA | | | | |
|--------------|------------|--|---------|----------|--------------|------------|-------------|---------|-----------------|
| Title of the | | CORE IV | | | | | | | |
| Paper Nur | Core | Year | Ι | | Credits | 5 | Cou | rco | |
| Category | Cole | Semester | II | | Creuits | 5 | Cod | | 23PMT4 |
| Instruction | al Hours | Lecture | | Tuto | rial | Lab P | ractice | Tota | l |
| per week | | 5 | | 1 | | | | 6 | |
| Pre-requis | ite | Algebraic S | Struct | tures | | | | | |
| Objectives | of the | To study f | field e | extensi | ion, roots o | of polyn | omials, C | alois | Theory, finite |
| Course | | fields, division rings, solvability by radicals and to develop | | | | | | | op |
| | | computational skill in abstract algebra. | | | | | | | |
| Course Ou | ıtline | UNIT-I :E | xtens | sion fi | elds – Trar | scende | nce of e. | | |
| | | Chapter 5: | Sect | ion 5.1 | 1 and 5.2 | | | | |
| | | UNIT-II : I | Roots | or Po | lynomials | More a | bout roots | | |
| | | Chapter 5: | Sect | ions 5 | .3 and 5.5 | | | | |
| | | UNIT-III : Elements of Galois theory. | | | | | | | |
| | | Chapter 5 | | | | | | | |
| | | UNIT-IV : | Finit | e field | s - Wedder | burn's th | neorem on | finite | division rings. |
| | | Chapter 7: | Sect | ions 7 | .1 and 7.2 (| Theore | m 7.2.1 o | nly) | |
| | | | | | | | | | |
| | | UNIT-V: S | Solva | bility b | y radicals - | A theor | em of Fre | obeniu | s - Integral |
| | | Quaternions | s and | the Fo | ur - Square | theorem | 1. | | |
| | | Chapter 5: | Sect | ion 5.7 | 7 (omit Ler | nma 5.7 | 7.1, Lemn | na 5.7 | .2 and |
| | | Theorem 5 | .7.1) | | | | | | |
| | | Chapter 7 | : Sec | tions 7 | 7.3 and 7.4 | | | | |
| Extended | | Questions | relate | ed to | the abo | ve topi | ics, from | n vari | ous competitive |
| Professiona | ıl | examination | ns UI | PSC / | TRB / NE | T / UG | C - CS | IR / C | GATE / TNPSC / |
| Componen | t (is a | others to be | solve | ed | | | | | |
| part of | internal | (To be discu | issed | during | g the Tutori | al hour) |) | | |
| component | only, | | | | | | | | |
| Not to be in | ncluded in | | | | | | | | |
| the | External | | | | | | | | |
| Examinatio | n | | | | | | | | |
| question pa | | | | | | | | | |
| Skills | acquired | Knowledge | e, P | roblen | n Solving | g Ana | lytical a | bility, | Professional |
| from this c | - | Competenc | , | | | | • | | |
| Recommen | | - | · | | in Algebra | | | | |
| Text | | New Del | | - | | (<u> </u> | - <i>-,</i> | | |

| Reference Books | 1. M.Artin, Algebra, Prentice Hall of India, 1991. |
|------------------------|---|
| | 2. P.B.Bhattacharya, S.K.Jain, and S.R.Nagpaul, Basic Abstract |
| | Algebra (II Edition) Cambridge University Press, 1997. (Indian |
| | Edition) |
| | 3. I.S.Luther and I.B.S.Passi, Algebra, Vol. I —Groups(1996); Vol. II |
| | Rings, Narosa Publishing House, New Delhi, 1999 |
| | 4. D.S.Malik, J.N. Mordeson and M.K.Sen, Fundamental of |
| | Abstract Algebra, McGraw Hill (International Edition), New York. |
| | 1997. |
| | 5. N.Jacobson, Basic Algebra, Vol. I & II Hindustan Publishing |
| | Company, New Delhi. |
| Website and | http://mathforum.org, http://ocw.mit.edu/ocwweb/Mathematics, |
| e-Learning Source | http://www.opensource.org, www.algebra.com |

$Course Learning \, Outcome (for \, Mapping \, with \, POs \, and \, PSOs)$

Students will be able to

CLO1: Prove theorems applying algebraic ways of thinking.

CLO2: Connect groups with graphs and understanding about Hamiltonian graphs. CLO3:

Compose clear and accurate proofs using the concepts of Galois Theory. CLO4: Bring out

insight into Abstract Algebra with focus on axiomatic theories.

CLO5: Demonstrate knowledge and understanding of fundamental concepts including extension fields, Algebraic extensions, Finite fields, Class equations and Sylow's theorem.

| | | | | PSOs | | | | | |
|------|---|---|---|------|---|---|---|---|---|
| | 1 | 2 | 3 | 4 | 5 | 6 | 1 | 2 | 3 |
| CLO1 | 3 | 1 | 3 | 2 | 3 | 3 | 3 | 2 | 1 |
| CLO2 | 2 | 1 | 3 | 1 | 3 | 3 | 3 | 2 | 1 |
| CLO3 | 3 | 2 | 3 | 1 | 3 | 3 | 3 | 2 | 1 |
| CLO4 | 1 | 2 | 3 | 2 | 3 | 3 | 3 | 2 | 1 |
| CLO5 | 3 | 1 | 2 | 3 | 3 | 3 | 3 | 2 | 1 |

| | REAL ANALYS | SIS II | I | | | | | | | |
|---------------------|--|--|---|---|---|--|--|--|--|--|
| Paper Number | CORE V | | | | | | | | | |
| Category Core | Year | Ι | Credits | 5 | Cours | e | 23PMT5 | | | |
| | Semester | II | | | Code | | | | | |
| Instructional Hours | Lecture | ' | Tutorial | Lab Pr | actice | Tot | al | | | |
| per week | 5 | | 1 | | | 6 | | | | |
| Pre-requisite | Elements of Real Analysis | | | | | | | | | |
| Objectives of the | | To introduce measure on the real line, Lebesgue measurability and integrability, | | | | | | | | |
| Course | Fourier Series and Integrals, in-depth study in | | | | | | | | | |
| | multivariable cale | culus | | | | | | | | |
| Course Outline | UNIT-I :Measu | re or | n the Real line - | Lebesgue | e Outer | Meas | sure - Measurable | | | |
| | | | asurable Functions | s - Borel a | and Lebe | sgue | Measurability | | | |
| | Chapter - 2 Sec | 2.1 to | o 2.5 (de Barra) | | | | | | | |
| | | | | | | | | | | |
| | UNIT-II : Integration of Functions of a Real variable - Integration of Non- | | | | | | | | | |
| | negative functions - The General Integral - Riemann and Lebesgue Integrals | | | | | | | | | |
| | Chapter - 3 Sec 3.1,3.2 and 3.4 (de Barra) | | | | | | | | | |
| | | | | , | | | | | | |
| | UNIT-III · Fou | rier S | | | als - Inti | roduc | rtion - Orthogonal | | | |
| | | | Series and Fourie | er Integra | | | - | | | |
| | system of function | ons - ' | Series and Fourie The theorem on be | er Integra est approx | kimation | - Th | e Fourier series of | | | |
| | system of function a function relativ | ons - 7 e to a | Series and Fourie | e r Integr a est approx stem - Pro | ximation operties c | - Th of Fou | e Fourier series of urier Coefficients - | | | |
| | system of function a function relativ The Riesz- Fisch | ons - ' e to a er Tl | Series and Fourie The theorem on be an orthonormal sys | er Integra est approx stem - Prov vergence a | kimation operties c and repr | - Th of Fou esent | e Fourier series of urier Coefficients - ation problems in | | | |
| | system of function a function relative The Riesz- Fisch for trigonometric | ons - 7 e to a er Th c seri | Series and Fourie The theorem on be an orthonormal sys horem - The conv | er Integra est approx stem - Pro vergence a nn - Lebo | ximation operties c and repressue Le | - Th of Fou esent emm | e Fourier series of urier Coefficients - ation problems in a - The Dirichlet | | | |
| | system of function a function relativ The Riesz- Fisch for trigonometric Integrals - An ir | ons - 7 e to a er Th c seri ntegra | Series and Fourie The theorem on be an orthonormal system horem - The conv ies - The Rieman | er Integra est approx stem - Prov vergence a nn - Lebo for the pa | ximation operties of and repro- esgue Lo artial sur | - Th of Fou esent emm ns o | e Fourier series of urier Coefficients - ation problems in a - The Dirichlet f Fourier series - | | | |
| | system of function a function relativ The Riesz- Fisch for trigonometric Integrals - An ir Riemann's locali Fourier series at a | ons - 7 e to a er Th c seri ntegra zation a part | Series and Fourie The theorem on be an orthonormal sys horem - The conv ies - The Rieman al representation f n theorem - Suff ticularpoint | er Integra est approx stem - Prov vergence a nn - Lebo for the pa for the pa | kimation operties c and repre- esgue Lo artial sur nditions | - Th of Fou esent emmans o for | e Fourier series of urier Coefficients - ation problems in a - The Dirichlet f Fourier series - convergence of a | | | |
| | system of function a function relative The Riesz- Fisch for trigonometrice Integrals - An ir Riemann's locali Fourier series at a —Cesarosumma | ons - 7 e to a er Th c seri- ntegra zation a part bility | Series and Fourie The theorem on be an orthonormal sys- horem - The conv ies - The Rieman al representation f n theorem - Suff ticularpoint of Fourier series | er Integra est approx stem - Prov vergence a nn - Lebo for the pa for the pa | kimation operties c and repre- esgue Lo artial sur nditions | - Th of Fou esent emmans o for | e Fourier series of urier Coefficients - ation problems in a - The Dirichlet f Fourier series - convergence of a | | | |
| | system of function a function relativ The Riesz- Fisch for trigonometric Integrals - An ir Riemann's locali Fourier series at a —Cesarosumma The Weierstrass a | ons - ' e to a er Th c seri ntegra zation a part bility uppro | Series and Fourie The theorem on be an orthonormal sys horem - The conv ies - The Rieman al representation f n theorem - Suff ticularpoint of Fourier series ximation theorem | er Integra est approx stem - Provergence or regence and - Lebo for the pa for the pa ficient co s- Conse | kimation operties c and repre- esgue Lo artial sur nditions | - Th of Fou esent emmans o for | e Fourier series of urier Coefficients - ation problems in a - The Dirichlet f Fourier series - convergence of a | | | |
| | system of function a function relativ The Riesz- Fisch for trigonometric Integrals - An ir Riemann's locali Fourier series at a —Cesarosumma The Weierstrass a | ons - ' e to a er Th c seri ntegra zation a part bility uppro | Series and Fourie The theorem on be an orthonormal sys- horem - The conv ies - The Rieman al representation f n theorem - Suff ticularpoint of Fourier series | er Integra est approx stem - Provergence or regence and - Lebo for the pa for the pa ficient co s- Conse | kimation operties c and repre- esgue Lo artial sur nditions | - Th of Fou esent emmans o for | e Fourier series of urier Coefficients - ation problems in a - The Dirichlet f Fourier series - convergence of a | | | |
| | system of function a function relativ The Riesz- Fisch for trigonometric Integrals - An ir Riemann's locali Fourier series at a —Cesarosumma The Weierstrass a Chapter 11 : Sec | ons - ⁷ e to a er Th c seri- ntegra zation zation a part bility uppro c tions | Series and Fourie The theorem on be an orthonormal sys horem - The conv ies - The Rieman al representation f n theorem - Suff ticularpoint of Fourier series ximation theorem | er Integra est approvision - Pro- vergence and - Lebe for the pa for the pa for the pa for the pa s- Conse postol) | kimation operties c and repre- esgue Lo artial sur- nditions equences | - Th of Fou esent emma ns o for of | e Fourier series of urier Coefficients - ation problems in a - The Dirichlet f Fourier series - convergence of a Fejes's theorem - | | | |
| | system of function a function relativ The Riesz- Fisch for trigonometric Integrals - An ir Riemann's locali Fourier series at a —Cesarosumma The Weierstrass a Chapter 11 : Sec | ons - 7 e to a er The seri- ntegra zation zation a part bility uppro- ctions ultiv | Series and Fourie The theorem on be an orthonormal sys- horem - The conv- ies - The Rieman al representation f n theorem - Suff ticularpoint of Fourier series eximation theorem s 11.1 to 11.15 (Ag | er Integra est approversion stem - Provergence and - Lebo for the particient co s- Conse postol) | kimation operties c and repre- esgue La artial sur nditions equences | - Th of Fou esent emma ns o for of | e Fourier series of urier Coefficients - ation problems in a - The Dirichlet f Fourier series - convergence of a Fejes's theorem - | | | |
| | system of function a function relativ The Riesz- Fisch for trigonometric Integrals - An ir Riemann's locali Fourier series at a —Cesarosumma The Weierstrass a Chapter 11 : Sec UNIT-IV : M Directional deriv derivative - The | ons - 7 e to a er The seri- ntegra zation a part bility oppro- ctions ultiva vative total | Series and Fourie The theorem on be an orthonormal sys horem - The conv ies - The Rieman al representation f n theorem - Suff ticularpoint of Fourier series ximation theorem s 11.1 to 11.15 (Ag ariable Different e - Directional derivative express | er Integra est approv stem - Provergence and - Lebo for the particient co s- Consector postol) tial Cal derivative sed in ter | kimation operties c and repre- esgue La artial sur- nditions equences culus - e and c ms of pa | - Th of Fou esent emmons o for of Int ontin | e Fourier series of urier Coefficients - ation problems in a - The Dirichlet f Fourier series - convergence of a Fejes's theorem - troduction - The nuity - The total derivatives - The | | | |
| | system of function a function relativ The Riesz- Fisch for trigonometric Integrals - An ir Riemann's locali Fourier series at a —Cesarosumma The Weierstrass a Chapter 11 : Sec UNIT-IV : M Directional deriv derivative - The matrix of linear f | ons - 7 e to a er The seri- ntegra zation zation a part bility uppro ctions ultive vative total | Series and Fourie The theorem on be an orthonormal sys- horem - The conv- ies - The Rieman al representation for n theorem - Suff ticularpoint of Fourier series ximation theorem s 11.1 to 11.15 (A ariable Different e - Directional derivative express on - The Jacobian | er Integra est approvision - Pro- vergence and - Lebe for the participant co s- Conse postol) tial Cal derivative sed in ter matrix - | kimation operties c and repre- esgue La artial sur- nditions equences culus - e and c ms of pa The chai | - Th of Fou essent emm ns o for of Int ontin | e Fourier series of urier Coefficients - ation problems in a - The Dirichlet f Fourier series - convergence of a Fejes's theorem - troduction - The nuity - The total derivatives - The e - Matrix form of | | | |
| | system of function a function relativ The Riesz- Fisch for trigonometric Integrals - An ir Riemann's locali Fourier series at a —Cesarosumma The Weierstrass a Chapter 11 : Sec UNIT-IV : M Directional deriv derivative - The matrix of linear f chain rule - The | ons - 7 e to a er The seri- ntegra zation a part bility appro ctions ultiva vative total unction | Series and Fourie The theorem on be an orthonormal sys- horem - The conv- ies - The Rieman al representation f n theorem - Suff ticularpoint of Fourier series eximation theorem s 11.1 to 11.15 (A ariable Different e - Directional derivative express on - The Jacobian a - value theorem f | er Integra est approvision stem - Provision vergence and - Lebo for the paraitic consection is- Consection s- Consection postol) tial Cal derivative sed in ter matrix - for different | kimation operties of and repre- esgue Lo artial sur nditions equences culus - e and c ms of pa The chai entiable f | - Th of Fou esent emm ns o for of Int ontin urtial n rul | e Fourier series of urier Coefficients - ation problems in a - The Dirichlet f Fourier series - convergence of a Fejes's theorem - troduction - The uity - The total derivatives - The e - Matrix form of ions - A sufficient | | | |
| | system of function a function relativ The Riesz- Fisch for trigonometric Integrals - An ir Riemann's locali Fourier series at a —Cesarosumma The Weierstrass a Chapter 11 : Sec UNIT-IV : M Directional deriv derivative - The matrix of linear f chain rule - The re- condition for diff | ons - The to a er The series a part bility appro- ctions dultivative total formed for the series of | Series and Fourie The theorem on be an orthonormal sys- horem - The conv- ies - The Rieman al representation f n theorem - Suff ticularpoint of Fourier series ximation theorem s 11.1 to 11.15 (A) ariable Different e - Directional derivative express on - The Jacobian a - value theorem f tiability - A sufficient | er Integra est approvision stem - Provision vergence and - Lebo for the paraities for the paraities the paraities the paraities for the paraities the paraitie | culus - culus of partiable f tion for e | - Th of Fou esent emm ns o for of Int ontin urtial n rul | e Fourier series of urier Coefficients - ation problems in a - The Dirichlet f Fourier series - convergence of a Fejes's theorem - troduction - The uity - The total derivatives - The e - Matrix form of ions - A sufficient | | | |
| | system of function a function relativ The Riesz- Fisch for trigonometric Integrals - An ir Riemann's locali Fourier series at a —Cesarosumma The Weierstrass a Chapter 11 : Sec UNIT-IV : M Directional deriv derivative - The matrix of linear f chain rule - The condition for diff | ons - The to a ler The to a ler The series a part bility approximation of the series o | Series and Fourie The theorem on be an orthonormal sys- horem - The conv- ies - The Rieman al representation f n theorem - Suff ticularpoint of Fourier series eximation theorem s 11.1 to 11.15 (A ariable Different e - Directional derivative express on - The Jacobian a - value theorem f | er Integra est approv stem - Provergence a for the participant constraint constraint constraint constraint icient constraint constra | culus - culus of partiable f tion for e | - Th of Fou esent emm ns o for of Int ontin urtial n rul | e Fourier series of urier Coefficients - ation problems in a - The Dirichlet f Fourier series - convergence of a Fejes's theorem - troduction - The uity - The total derivatives - The e - Matrix form of ions - A sufficient | | | |

| | UNIT-V : Implicit Functions and Extremum Problems : Functions with non-zero Jacobian determinants — The inverse function theorem-The Implicit function theorem-Extrema of real valued functions of severable variables-Extremum problems with side conditions. Chapter 13 : Sections 13.1 to 13.7 (Apostol) |
|--|--|
| Extended Professional Component (is a part of internal component only, Not to be included in the External Examination question paper) | Questions related to the above topics, from various competitive examinations UPSC / TRB / NET / UGC — CSIR / GATE / TNPSC / others to be solved (To be discussed during the Tutorial hour) |
| Skills acquired from this course | Knowledge, Problem Solving, Analytical ability, Professional Competency, Professional Communication and Transferrable Skill |
| Recommended Text | G. de Barra, Measure Theory and Integration, Wiley Eastern Ltd., New Delhi, 1981. (for Units I and II) Tom M.Apostol : Mathematical Analysis, 2nd Edition, Addison- |
| | Wesley Publishing Company Inc. New York, 1974. (for Units III, IV and V) |
| Reference Books | Burkill,J.C.The Lebesgue Integral, Cambridge University Press, 1951. Munroe,M.E.Measure and Integration. Addison-Wesley, Mass.1971. Roydon,H.L.Real Analysis, Macmillan Pub. Company, New York, |
| | 1988.4. Rudin, W. Principles of Mathematical Analysis, McGraw Hill Company, New York, 1979. |
| | 5. Malik,S.C. and Savita Arora. Mathematical Analysis, Wiley Eastern Limited. New Delhi, 1991. |
| | 6. Sanjay Arora and Bansi Lal, Introduction to Real Analysis, Satya Prakashan, NewDelhi, 1991 |
| Website and | http://mathforum.org, http://ocw.mit.edu/ocwweb/Mathematics, |
| e-Learning Source | http://www.opensource.org |
| | 1 |

$Course \, Learning \, Outcome (for \, Mapping \, with \, POs \, and \, PSOs)$

Students will be able to

CLO1: Understand and describe the basic concepts of Fourier series and Fourier integrals

with respect to orthogonal system.

CLO2: Analyze the representation and convergence problems of Fourier series.

CLO3: Analyze and evaluate the difference between transforms of various functions.

CLO4: Formulate and evaluate complex contour integrals directly and by the fundamental

theorem.

CLO5: Apply the Cauchy integral theorem in its various versions to compute contour integration.

| | | | | PSOs | | | | | |
|------|---|---|---|------|---|---|---|---|---|
| | 1 | 2 | 3 | 4 | 5 | 6 | 1 | 2 | 3 |
| CLO1 | 3 | 1 | 3 | 2 | 3 | 3 | 3 | 2 | 1 |
| CLO2 | 2 | 1 | 3 | 1 | 3 | 3 | 3 | 2 | 1 |
| CLO3 | 3 | 2 | 3 | 1 | 3 | 3 | 3 | 2 | 1 |
| CLO4 | 1 | 2 | 3 | 2 | 3 | 3 | 3 | 2 | 1 |
| CLO5 | 3 | 1 | 2 | 3 | 3 | 3 | 3 | 2 | 1 |

| Title of the Course | | PARTIAL DIFFERENTIAL EQUATIONS | | | | | | | | | | | | |
|---------------------|------|---|---|--|---|------------------------------------|-----------------|---------------------------------|--|--|--|--|--|--|
| Paper Numbe | | CORE VI | | | | | | | | | | | | |
| Category | Core | Year | Ι | Credits | 4 | Cours | se | 23PMT6 | | | | | | |
| | | Semester | II | | | Code | | 251 1110 | | | | | | |
| Instructional H | ours | Lecture | | Tutorial | Lab P | ractice | e Total | | | | | | | |
| per week | | 5 | | 1 | | | 6 | | | | | | | |
| Pre-requisite | | UG level partial differential equations | | | | | | | | | | | | |
| Objectives of | the | To classify the seco | | - | ential equ | lations an | d to | study Cauchy | | | | | | |
| Course | liit | problem, method of | | - | - | | | Study Cauchy | | | | | | |
| | | value problems. | ~•p | | , councu | | | | | | | | | |
| Course Outlin | e | 1 | UNIT-I :Mathematical Models and Classification of second order equation | | | | | | | | | | | |
| | | | | | | | | - | | | | | | |
| | | : Classical equations-Vibrating string — Vibrating membrane — waves in elastic medium — Conduction of heat in solids — Gravitational potential — | | | | | | | | | | | | |
| | | Second order equations in two independent variables — canonical forms — | | | | | | | | | | | | |
| | | equations with constant coefficients —general solution | | | | | | | | | | | | |
| | | Chapter 2 : Sections 2.1 to 2.6 | | | | | | | | | | | | |
| | | Chapter 3 : Sections 3.1 to 3.4 (Omit 3.5) | | | | | | | | | | | | |
| | | | | | | | | | | | | | | |
| | | UNIT-II :Cauchy Problem : The Cauchy problem – Cauchy- | | | | | | | | | | | | |
| | | Kowalewsky theorem – Homogeneous wave equation – Initial | | | | | | | | | | | | |
| | | Boundary value problem- Non-homogeneous boundary conditions – Finite | | | | | | | | | | | | |
| | | string with fixed ends – Non-homogeneous wave equation – Riemann | | | | | | | | | | | | |
| | | method – Goursat problem – spherical wave equation – cylindrical wave | | | | | | | | | | | | |
| | | equation. Chapter 4 · Sections 4.1 to 4.11 | | | | | | | | | | | | |
| | | Chapter 4 : Sections 4.1 to 4.11 | | | | | | | | | | | | |
| | | UNIT-III :Method of separation of variables: Separation of variable- Vibrating string problem — Existence and uniqueness of solution of vibrating string | | | | | | | | | | | | |
| | | problem - Heat con | | | | | | | | | | | | |
| | | - | | - | | - | 00 | | | | | | | |
| | | heat conduction problem — Laplace and beam equations Chapter 6 : Sections 6.1 to 6.6 (Omit section 6.7) | | | | | | | | | | | | |
| | | Chapter 6 : Section | ns 6. | 1 to 6.6 (Omit see | ction 6.7 |) | | | | | | | | |
| | | Chapter 6 : Section | ns 6. | 1 to 6.6 (Omit see | ction 6.7) | | | | | | | | | |
| | | Chapter 6 : Section | | | | | value | problems — | | | | | | |
| | | | dary | v Value Probler | ms : Bo | oundary | | - | | | | | | |
| | | UNIT-IV : Boun | dary imu | y Value Probler m principles — U | ms : Bo niquenes | oundary s and cor | ntinui | ty theorem — | | | | | | |
| | | UNIT-IV : Boun Maximum and min | dary imu for | y Value Probler m principles – U a circle , a circu | ms : Bo niquenes ular annu | oundary s and cor ilus, a re | ntinui ctang | ty theorem — gle — Dirichlet | | | | | | |
| | | UNIT-IV : Boun Maximum and min Dirichlet Problem problem involving rectangle. | dary imun for Pois | y Value Problem m principles — U a circle , a circu sson equation — | ms : Bo niquenes ular annu | oundary s and cor ilus, a re | ntinui ctang | ty theorem — gle — Dirichlet | | | | | | |
| | | UNIT-IV : Boun Maximum and min Dirichlet Problem problem involving | dary imun for Pois | y Value Problem m principles — U a circle , a circu sson equation — | ms : Bo niquenes ular annu | oundary s and cor ilus, a re | ntinui ctang | ty theorem — gle — Dirichlet | | | | | | |
| | | UNIT-IV : Boun Maximum and min Dirichlet Problem problem involving rectangle. | dary imun for Pois | y Value Problem m principles — U a circle , a circu sson equation — | ms : Bo niquenes ular annu | oundary s and cor ilus, a re | ntinui ctang | ty theorem — gle — Dirichlet | | | | | | |

| | UNIT-V : Green's Function: The Delta function — Green's function — |
|------------------------|--|
| | Method of Green's function - Dirichlet Problem for the Laplace and |
| | Helmholtz operators – Method of images and eigen functions – Higher |
| | dimensional problem — Neumann Problem. |
| | Chapter 10 : Section 10.1 to 10.9 |
| Extended | Questions related to the above topics, from various competitive |
| Professional | examinations UPSC / TRB / NET / UGC - CSIR / GATE / TNPSC / |
| Component (is a | others to be solved |
| part of internal | (To be discussed during the Tutorial hour) |
| component only, | |
| Not to be | |
| included in the | |
| External | |
| Examination | |
| question paper) | |
| Skills acquired | Knowledge, Problem Solving, Analytical ability, Professional |
| from this course | Competency, Professional Communication and Transferrable Skill |
| Recommended | TynMyint-U and Lokenath Debnath, Partial Differential Equations for |
| Text | Scientists and Engineers (Third Edition), North Hollan, New York, 1987. |
| | |
| Reference Books | 1. M.M.Smirnov, Second Order partial Differential Equations, |
| | Leningrad, 1964. |
| | I.N.Sneddon, Elements of Partial Differential Equations, McGraw Hill, New Delhi, 1983. |
| | R. Dennemeyer, Introduction to Partial Differential Equations and |
| | Boundary Value Problems, McGraw Hill, New York, 1968. |
| | 4. M.D.Raisinghania, Advanced Differential Equations, S.Chand & |
| | Company Ltd., New Delhi, 2001. |
| | 5. S, Sankar Rao, Partial Differential Equations, 2 nd Edition, Prentice Hall of |
| Website and | India, New Delhi. 2004 http://mathforum.org, http://ocw.mit.edu/ocwweb/Mathematics, |
| e-Learning | http://www.opensource.org, www.mathpages.com |
| Source | http://www.opensource.org, www.induipages.com |
| Bource | |

$Course Learning \, Outcome (for \, Mapping \, with \, POs \, and \, PSOs)$

Students will be able to

CLO1: To understand and classify second order equations and find general solutions

CLO2: To analyse and solve wave equations in different polar coordinates

CLO3: To solve Vibrating string problem, Heat conduction problem, to identify and solve Laplace and beam equations

CLO4: To apply maximum and minimum principle's and solve Dirichlet, Neumann problems for various boundaryconditions

CLO5: To apply Green's function and solve Dirichlet, Laplace problems, to apply Helmholtz operation and to solve Higher dimensional problem

| | | | PSOs | | | | | | |
|------|---|---|------|---|---|---|---|---|---|
| | 1 | 2 | 3 | 4 | 5 | 6 | 1 | 2 | 3 |
| CLO1 | 3 | 1 | 3 | 2 | 3 | 3 | 3 | 2 | 1 |
| CLO2 | 2 | 1 | 3 | 1 | 3 | 3 | 3 | 2 | 1 |
| CLO3 | 3 | 2 | 3 | 1 | 3 | 3 | 3 | 2 | 1 |
| CLO4 | 1 | 2 | 3 | 2 | 3 | 3 | 3 | 2 | 1 |
| CLO5 | 3 | 1 | 2 | 3 | 3 | 3 | 3 | 2 | 1 |

| the | Course | COMPLEX ANALYSIS | | | | | | | | | | | |
|---------------|--------|---|-------|---------|---------------------------------|------------|-----------|------|-----------------------------------|--|--|--|--|
| Paper Nu | mber | CORE VII | | | | | | | | | | | |
| , Category | | Year | 11 | Credits | | 5 | Cou | rse | 23PMT7 | | | | |
| 5. | | Semester III | | | | | Cod | е | | | | | |
| Instructior | hal | Lecture | | Tuto | orial | Lab P | Practice | To | tal | | | | |
| Hours | | 5 | 5 1 | | | | | 6 | | | | | |
| per week | | | | | | | | | | | | | |
| Pre-requi | | UG level (| Сотр | lex A | nalysis | | | | | | | | |
| Objective | | | | | | nula, lo | ocal prop | erti | es of analytic | | | | |
| Course | • | - | | - | | | | | evaluation of | | | | |
| | | - | - | | | - | | | , | | | | |
| Course O | utline | definite integral and harmonic functions UNIT-I Elementary Point Set Topology | | | | | | | | | | | |
| | | | | | | | • | ness | -Compactness | | | | |
| | | Chapter 3: S | | | | | | | | | | | |
| | | Conformal | | | | | | | | | | | |
| | | | · | ed C | urves – | Analyti | ic Funct | ions | in Regions | | | | |
| | | Conformal | | | | • | | | e | | | | |
| | | Chapter 3 : Section 2.1 to 2.4 | | | | | | | | | | | |
| | | UNIT-II Linear Transformations | | | | | | | | | | | |
| | | The Linea | r Gro | oup - | - The Cro | oss Rat | tio – Sy | mm | etry Oriente | | | | |
| | | Circles – Families of Circles | | | | | | | | | | | |
| | | Chapter 3 : Section 3.1 to 3.5 | | | | | | | | | | | |
| | | Flamontary Conformal Mannings | | | | | | | | | | | |
| | | Elementary Conformal Mappings The Use of Level Curves – A survey of Elementary Mappings - | | | | | | | | | | | |
| | | | | | | | | | | | | | |
| | | Elementary Riemann Surfaces. Chapter 3 : Section 4.1 - 4.3 | | | | | | | | | | | |
| | | | | | | | | | | | | | |
| | | UNIT-III Fundamental theorems in complex integration: Line | | | | | | | | | | | |
| | | | | | | | - | | ctions of Arcs | | | | |
| | | - | | | | | - | | orem in a Dis | | | | |
| | | - | | | | - | - | | vith Respect to | | | | |
| | | Closed Cur | • | | | | | | | | | | |
| | | Chapter 4 : | | | - | | - | | | | | | |
| | | | | | | | | tion | s - Removab | | | | |
| | | UNIT-IV Local Properties of Analytic Functions - Removable Singularities - Zeros and Poles – The Local Mapping – The | | | | | | | | | | | |
| | | Maximum Principle. | | | | | | | | | | | |
| | | | | - | Chapter 4 : Section $3.1 - 3.4$ | | | | | | | | |
| | | | | | | | | | | | | | |
| | | | | • | | D " | •,• | 1 1 | | | | | |
| | | | | | - | | | | - | | | | |
| | | | 's Th | eoren | n – The Ta | | | | asic Properties aurent Series; | | | | |

**

| Extended Professional Component (is a part of internal component only, Not to be included in the External Examination question paper) Skills acquired from this course Recommended Text | Questions related to the above topics, from various competitive examinations UPSC / TRB / NET / UGC - CSIR / GATE / TNPSC / others to be solved (To be discussed during the Tutorial hour) Knowledge, Problem Solving, Analytical ability, Professional Competency, Professional Communication and Transferrable Skill Lars V. Ahlfors, Complex Analysis, (3 rd edition) McGraw Hill Co., New York, 1979 |
|---|--|
| Reference Books | [1] Serge Lang, Complex Analysis, Addisn Wesley, 1977. [2] S. Ponnusamy, Foundations of Complex Analysis, Narosa Publishing House, New Delhi, 1997. [3] V. Karunakaran, Complex Analysis. |
| Website and | http://mathforum.org, http://ocw.mit.edu/ocwweb/Mathematics, |
| e-Learning Source | http://www.opensource.org , http://en.wikipedia.org |

Course Learning Outcome (for Mapping with POs and PSOs)

Students will be able to

CLO1: Be able to comprehend the local and global properties of analytic functions.

CLO2: Know and understand harmonic functions and their basic properties.

CLO3: Be able to understand properties of entire functions.

CLO4: Develop Taylor and Laurent series .

CLO5 Explain the Weierstrass's Theorem

| · · · · | | | PSOs | | | | | | |
|---------|---|---|------|---|---|---|---|---|---|
| | 1 | 2 | 3 | 4 | 5 | 6 | 1 | 2 | 3 |
| CLO1 | 3 | 1 | 3 | 2 | 3 | 3 | 3 | 2 | 1 |
| CLO2 | 2 | 1 | 3 | 1 | 3 | 3 | 3 | 2 | 1 |
| CLO3 | 3 | 2 | 3 | 1 | 3 | 3 | 3 | 2 | 1 |
| CLO4 | 1 | 2 | 3 | 2 | 3 | 3 | 3 | 2 | 1 |
| CLO5 | 3 | 1 | 2 | 3 | 3 | 3 | 3 | 2 | 1 |

| | e of the | STOCHAS | STIC | PRO | CESSES | | | | | | |
|---------------------|-----------|--|-----------|-------------------------------|-------------|---------------------------|--------|-------|-------------------------------|--|--|
| Course Paper Nui | mber | CORE VIII | CORE VIII | | | | | | | | |
| Category | Core | Year | | | | | | | | | |
| | | Semester III | | | | | Cod | е | | | |
| Instruction | nal Hours | Lecture | | Tuto | orial | Lab Prac | tice | Tot | al | | |
| per week | | 5 | | 1 | | | | 6 | | | |
| Pre-requi | site | UG level F | Proba | bility | and Stati | stics | | | | | |
| Objective | es of the | To introdu | ice a | xiom | atic appro | ach to pro | babil | ity t | heory, to stud | | |
| Course | | some sta | atistio | cal | characteri. | stics, dis | crete | ar | nd continuou | | |
| | | | | | | | s, cha | ract | eristic functior | | |
| | | and basic l | | | | | | | | | |
| Course Ou | ıtline | | | | | | | | on of Stochastic | | |
| | | processes – S | | | | | | | | | |
| | | examples – F Bernoulli trai | 0 | | - | | | | n of independer Chapter II | | |
| | | section: 2.1 to | | - | | - | | 115. | Chapter II | | |
| | | | • =, | enup | | | | | | | |
| | | | | | | | | | | | |
| | | | | | | | | | | | |
| | | UNIT-II : Ma | | | | | | | | | |
| | | | | - | | - | | | ty of a Markov | | |
| | | system – Rec Chapter III se | | | | | th cor | tinuo | ous state space | | |
| | | | | 1 J. 4 U | 5.0, 5.0,5 | <i>J</i> and <i>J</i> .11 | | | | | |
| | | | | | | | | | | | |
| | | UNIT-III: Markov processes with Discrete state space: Poisson processes | | | | | | | | | |
| | | and their extensions –Poisson process and related distribution – Generalization of Poisson process – Birth and Death process – Markov | | | | | | | | | |
| | | | | | 1 | | | 1 | | | |
| | | processes wit Chapter : IV | | | | (continuous | s time | Mari | cov Chains). | | |
| | | | secue | <i>7</i> 11. 4 . 1 | 10 4.5 | | | | | | |
| | | | | | | | | | | | |
| | | | | | | | | | | | |
| | | | | - | | | | - | : Introduction - | | |
| | | | | | 1 | | - | | ns for a Wiener | | |
| | | process – Ko Wiener proce | - | orov e | quation – I | urst passage | e time | dıstr | ibution for | | |
| | | Wiener proce Chapter : V | | n : 5 | 1 to 5 5 | | | | | | |
| | | | 500110 | | | | | | | | |
| | | | | | | | | | | | |
| | | | | - | | | | | | | |
| | | | | | | | | | | | |
| | | | | | | | | | | | |

| | UNIT-V: Renewal processes and theory : Renewal process - Renewal process in continuous time - Renewal equation – stopping time – Wald's equation - Renewal Theorem. Chapter : VI section : 6.1 to 6.5. |
|---|--|
| Extended Professional Component (is a part of internal component only, Not to be included in the External Examination question paper) | Questions related to the above topics, from various competitive examinations UPSC / TRB / NET / UGC - CSIR / GATE / TNPSC / others to be solved (To be discussed during the Tutorial hour) |
| Skills acquired from this course | Competency, Professional Communication and Transferrable Skill |
| Recommended Text | J. Medhi, Stochastic Processes, Wiley Eastern. 1982 |
| Reference Books | Samuel Karlin, Howard M. Taylor, A first course in stochastic processes 2nd edition. Narayan Bhat, Elements of Applied Stochastic processes, 2nd edn, John Wiley, 1984. S.K.Srinivasan and K.Mehata, Stochastic processes, Tata Mc Graw Hill 1976. N.U.Prabhu, Stochastic processes, Macmillan, 1965. |
| Website and e-Learning Source | https://nptel.ac.in/courses/111/102/111102014/# |
| | https://digitalcommons.usu.edu/cgi/viewcontent.cgi?article=2145&context =gradreports |

Course Learning Outcome (for Mapping with POs and PSOs)

Students will be able to

CLO1: Describe Stochastic processes, Markov processes, Poisson processes and generalization

- **CLO2**: Gather the knowledge about Wiener process and its Applications
- **CLO3**: To acquire the knowledge about Brownion motion, differential equations, Wiener process
- and Kolmogorov equation
- **CL04**: To acquire the Knoeledge about Renewal processes, Wald's equation, renewaltheorem and its Applications.

CLO5: To understand the content of Renewal processes and its Applications

| | | | PSOs | | | | | | |
|------|---|---|------|---|---|---|---|---|---|
| | 1 | 2 | 3 | 4 | 5 | 6 | 1 | 2 | 3 |
| CLO1 | 3 | 1 | 3 | 2 | 3 | 3 | 3 | 2 | 1 |
| CLO2 | 2 | 1 | 3 | 1 | 3 | 3 | 3 | 2 | 1 |
| CLO3 | 3 | 2 | 3 | 1 | 3 | 3 | 3 | 2 | 1 |
| CLO4 | 1 | 2 | 3 | 2 | 3 | 3 | 3 | 2 | 1 |
| CLO5 | 3 | 1 | 2 | 3 | 3 | 3 | 3 | 2 | 1 |

| Title of the Co | | | Y | | | | | | | |
|------------------|-------|---|-----------------|--------------|-------------|-------------|--------|--------------|-------------------------------|--|
| Paper Number | | CORE IX | - | | | | - | | | |
| Category Core | 2 | Year | 11 | | Credits | 5 | Cou | rse | 23РМТ9 | |
| | | Semester | <i>III</i> | | | | Cod | е | | |
| Instructional Ho | ours | Lecture | | Tuto | orial | Lab Prac | tice | Tot | al | |
| per week | | 5 | | 1 | | | | 6 | | |
| Pre-requisite | | Real Analy | /sis | | | | | | | |
| Objectives of t | the | To stud | ly | topo | logical s | spaces, | cont | inuol | us functions, | |
| Course | | connected | ness | , com | pactness, d | countabilit | y and | sepa | aration axioms. | |
| Course Outline | ? | Unit - I: To | polo | gical | spaces and | l continuo | ous fu | nctio | ons: (15 Hours) | |
| | | Topological | Spa | ces – | Basis for a | a Topolog | y – T | he O | rder Topology – | |
| | | | | | | | | ce to | pology – Closed | |
| | | sets and lim | | | | s function | S | | | |
| | | Chapter 2, S | | | | | | | | |
| | | Unit-II:Me | | | | | | Con | (15 Hours) nected spaces – | |
| | | Connected | | | | | | | | |
| | | connected | | spuce | | | mpoi | ients | | |
| | | Chapter 2, S | | 9 to 2 | 1 | | | | | |
| | | Unit-III:Co | | | | | | | (14 Hours) | |
| | | Compact Sp | baces | - Co | mpact sub | spaces of | the re | al li | ne – Limit point | |
| | | compactness | | | | | | | | |
| | | Chapter 3, S | Sec 2 | 6 to 2 | 8 | | | | | |
| | | Unit -IV: C | oun | tabilit | ty and Sep | aration a | xioms | 5: | (14 Hours) | |
| | | The countability axioms - The separation axioms – Normal space. | | | | | | | | |
| | | Chapter 3, S | | | | | | | | |
| | | Unit-V:Cor | - | | - | | | | (14 Hours) | |
| | | - | | | | - | | Metri | zation theorem | |
| | | (statement only) - Tietz Extension theorem Chapter 4, Sec 33 to 35 | | | | | | | | |
| | | Chapter 4, S | ec 5 | 5 10 5 | 5 | | | | | |
| | | A | | | | | | <u> </u> | | |
| Extended | | - | | | | • • | | | ous competitive | |
| Professional | | | - | | IRB / NE | 1 / UGC - | - CSII | κ/G | GATE / TNPSC / | |
| Component (is | | | | | | | | | | |
| part of inter | | (To be disc | usse | d dur | ing the Tu | torial hou | r) | | | |
| • | only, | | | | | | | | | |
| Not to be includ | | | | | | | | | | |
| in the Exter | rnal | | | | | | | | | |
| Examination | , | | | | | | | | | |
| question paper, | | | _ | | a | | | | | |
| Skills acqu | | - | | | - | | | - | v, Professional | |
| from this cours | e | Competend | с у , Рі | rofess | sional Com | municatio | n and | <i>i rar</i> | nsferrable Skill | |

| Recommended | Text Book: James R. Munkres,"Topology"- second edition, Prentice |
|-------------------|---|
| Text | Hall, New Delhi (2003). (2009) |
| Reference Books | J. Dugundgi, "Toplogy", Allyn and Bacon, Boston, (1966) Sze-Tsen Hu, Elements of General Topology, Holden-Day Series in Mathematics, 1964. |
| Website and | http://mathforum.org, http://ocw.mit.edu/ocwweb/Mathematics, |
| e-Learning Source | http://www.opensource.org , http://en.wikipedia.org |

Course Learning Outcome (for Mapping with POs and PSOs)

Students will be able to

CLO1: Understanding metric spaces as a motivation to topology

CLO2: Continuous functions and their properties in topological spaces

CLO3: Understanding Basis as a collection of basic open sets

CLO4: Understand compactness and connectedness in topological spaces **CLO5**: Understand separation axioms

| | | | Р | PSOs | | | | | |
|------|---|---|---|------|---|---|---|---|---|
| | 1 | 2 | 3 | 4 | 5 | 6 | 1 | 2 | 3 |
| CLO1 | 3 | 1 | 3 | 2 | 3 | 3 | 3 | 2 | 1 |
| CLO2 | 2 | 1 | 3 | 1 | 3 | 3 | 3 | 2 | 1 |
| CLO3 | 3 | 2 | 3 | 1 | 3 | 3 | 3 | 2 | 1 |
| CLO4 | 1 | 2 | 3 | 2 | 3 | 3 | 3 | 2 | 1 |
| CLO5 | 3 | 1 | 2 | 3 | 3 | 3 | 3 | 2 | 1 |

| Title of the | Course | FLUID D | YNA | MICS | 1 | | | | | | |
|--------------|----------|--|---|--|--|---|--|--|--|--|--|
| Paper Nun | | CORE X | | | | | | | | | |
| Category | Core | Year | II | | Credits | | Ca | ourse | 23PMT10 | | |
| 8.2 | | Semester | ester III | | | | Ce | ode | | | |
| Instruction | al Hours | Lecture | | Tuto | rial | Lab I | Practice | To | tal | | |
| per week | | 5 | | 1 | 1 | | | 6 | | | |
| Pre-requis | ite | Basic Dynamics | | | | | | | | | |
| Objectives | of the | To gi | ive th | e stud | ents an intr | oducti | on to th | e beha | viour of fluids in | | |
| Course | 0 | motion. | | | | | | | | | |
| | | | 0 | | idents a fee analysis of t | | | | of Complex | | |
| | | Streamlines potential – " The Equation Fluid – Commotion – Pre Moving Fluids – Eule examples. Chapter 2 a Unit II: Disc forces – S Symmetry – Some three Doublets – Stokes strea Chapter 3: S Unit III: S Dimensional function – " Incompress Dimensional circle theore Chapter 5 : S Unit IV: The Aspects – Ver | and The V on of nditic essur id - C er's e nd C ussio ome Som e-dim Imag m fur Sectio For for for for for for for for for for f | Path I Vortici f cont ons at condi- equation apote e spec- ension ces in nction ons 3.7 Two w - U Compl Flow - box - S and app ons: 5. e of co rows. reen C | ines; Stead ty vector - inuity - W a rigid b point in a tions at a B ons of mo r 3: Section case of ste ntial theo tial two- Di nal Flows: a Rigid Ir o-Dimensic se of cyline ex Potentia complex v Some worl plications - 1 to 5.9 exc onformal T Viscous fl Cartesian c ent - The D | ly and Local Vorked ounda Fluid Bounda tion - ns 3.1 t ady m rems-S imensio Intro- finite d Cha onal F drical F drical F al for T velocity ked ex The T cept 5.7 Transfo ow: St ompor Rate of | Unstead and Pat examp ry - Ge at Rest ary of T Bernou o 3.6 notion u Some F onal Flo duction Plane - pter 4: 9 Flows: Polar co Two- Di y poten camples heorem 7 ormation ress cor nents o f Strain | dy Flo rticle F oles - A eneral - Pres wo In lli's ec nder c lows - Son Axi-S Section Mean ordina imensi tials fo - The of Bla n and npone f stres Quad | Hydrodynamical nts in a Real fluid ss - Translational ric and Principal | | |

| | Unit V: Some Further properties of the Rate of Strain Quadric - Stress Analysis in Fluid Motion - Relations Between stress and rate of strain - The coefficient of viscosity and Laminar Flow - The Navier - Stokes equations of Motion of a Viscous Fluid . Chapter 8: Sections 8.5 to 8.9 |
|---|--|
| Extended Professional Component (is a part of internal component only, Not to be included in the External Examination question paper) | Questions related to the above topics, from various competitive examinations UPSC / TRB / NET / UGC — CSIR / GATE / TNPSC / others to be solved (To be discussed during the Tutorial hour) |
| Skills acquired from this course | Knowledge, Problem Solving, Analytical ability, Professional Competency, Professional Communication and Transferrable Skill |
| Recommended Text | Content and Treatment as in Text Book of Fluid Dynamics by F. Chorlton (CBS publishers& Distributors, New Delhi-110 002) 1985. |
| Reference Books | J.F. Wendt, J.D. Anderson, G.Degrez and E. Dick, Computational Fluid Dynamics : An Introduction, Springer-Verlag, 1996. J.D. Anderson, Computational Fluid Dynamics, The Basics with Applications, McGraw Hill, 1995. G.K. Batchelor, An Introduction to Fluid Mechanics, Foundation Books, New Delhi, 1984. A.J. Chorin and A. Marsden, A Mathematical Introduction to Fluid Dynamics, Springer-Verlag, New York, 1993. S.W. Yuan, Foundations of Fluid Mechanics, Prentice Hall of India Pvt Limited, New Delhi, 1976. R.K. Rathy, An Introduction to Fluid Dynamics, Oxford and IBH Publishing Company, New Delhi, 1976. |
| Website and | https://nptel.ac.in/courses/112/106/112106200/ |
| e-Learning Source | |
| ourse Outcomes: | alation of the source student will be able to |

| Course Outcomes: | |
|---|---------------|
| | |
| On the successful completion of the course, student will be able to: | |
| CO1 Recall the basic concepts of Real Fluids and Ideal Fluids, the Equation of | of continuity |
| and Euler's equations of motion. | _ |
| CO2 Discussion of a case of steady motion under conservative body forces a | and Axi- |
| Symmetric Flows; Stokes stream function | |
| CO3 Analyze and understand the concepts of some two-dimensional flows. | |
| CO4 Analyze the viscous flow. | |
| CO5 Analyze and apply the properties of the Rate of Strain Quadric and The | e Navier - |
| Stokes equations of Motion of a Viscous Fluid . | |

| | POs PSOs | | | | | | | | |
|------|----------|---|---|---|---|---|---|---|---|
| | 1 | 2 | 3 | 4 | 5 | 6 | 1 | 2 | 3 |
| CL01 | 3 | 1 | 3 | 2 | 3 | 3 | 3 | 2 | 1 |
| CLO2 | 2 | 1 | 3 | 1 | 3 | 3 | 3 | 2 | 1 |
| CLO3 | 3 | 2 | 3 | 1 | 3 | 3 | 3 | 2 | 1 |
| CLO4 | 1 | 2 | 3 | 2 | 3 | 3 | 3 | 2 | 1 |
| CLO5 | 3 | 1 | 2 | 3 | 3 | 3 | 3 | 2 | 1 |

| Title of Course | the | Functional Analysis | | | | | | | |
|--------------------|---|---|----------|----------|---|-------|---------|-----------|--|
| Paper Numbe | er | CORE XI | | | | | | | |
| Category Core | ore | Year | | Credits | 5 | 5 | Cours | e 23PMT11 | |
| | | Semester | IV | | | | Code | | |
| Instructional | | | | Tutorial | | Lab P | ractice | Total | |
| Hours per week | | 5 | | 1 | | | | 6 | |
| Pre-requisite | 2 | Elements of R | Real And | lvsis | | | | | |
| , Objectives of | | To provide students with a strong foundation in functional | | | | | | | |
| Course | | analysis, focusing on spaces, operators and fundamental theorems. To develop student's skills and confidence in mathematical analysis and proof techniques. | | | | | | | |
| Course Outli | ne | UNIT-I: Banach Spaces: The definition and some examples – Continuous linear transformations - The Hahn-Banach theorem – The natural imbedding of N in N ^{**} - The open mapping theorem – The conjugate of an Operator. | | | | | | | |
| | | Chapter 9:Sections 46-51 UNIT-II :Hilbert Spaces: The definition and some simple properties–Orthogonal complements–Ortho normal sets–The conjugate space H*-The adjoint of an operator–self-adjoint operators-Normal and unitary operators – Projections. | | | | | | | |
| | | Chapter10:Se | | | | | | | |
| | | UNIT-III : Finite-Dimensional Spectral Theory: Matrices – Determinants and the spectrum of an operator -The spectral theorem. | | | | | | | |
| | | Chapter 11:Sections 60-62 | | | | | | | |
| | UNIT-IV : General Preliminaries on Banach Algebras: The definition and some examples – Regular and singular elements – Topological divisors of zero – The spectrum – The formula for the spectral radius– The radical and semi-simplicity. | | | | | | | | |
| | Chapter 12:Sections 64-69 | | | | | | | | |
| | UNIT-V : The Structure of Commutative Banach Algebras: The Gelfand mapping – Application of the formula $(x) = \lim x^n ^{1/n}$ – Involutions in Banach algebras-The Gelfand-Neumark theorem. | | | | | | | | |
| | Chapter 13:Sections 70-73 | | | | | | | | |
| | | | | | | | | | |

| Extended | Questions related to the above topics, from various competitive |
|-------------------|---|
| Professional | examinations UPSC / TRB / NET / UGC – CSIR / GATE / TNPSC / |
| Component (is a | others to be solved |
| part of internal | (To be discussed during the Tutorial hour) |
| component only, | (To be discussed during the rational hour) |
| Not to be | |
| included in the | |
| External | |
| Examination | |
| question paper) | |
| Skills acquired | Knowledge, Problem Solving, Analytical ability, Professional |
| from this course | Competency, Professional Communication and Transferrable Skill |
| Recommended | G.F.Simmons, Introduction to Topology and Modern Analysis, |
| Text | McGraw Hill Education (India)Private Limited, New Delhi, 1963. |
| Reference Books | 1. W.Rudin, Functional Analysis, McGraw Hill Education (India) |
| | Private Limited, New Delhi, 1973. |
| | 2. B.V. Limaye, Functional Analysis, New Age International, 1996. |
| | 3. C. Goffman and G. Pedrick, First course in Functional |
| | Analysis, Prentice Hall of India, NewDelhi,1987. |
| | 4. E. Kreyszig, Introductory Functional Analysis with |
| | Applications, John Wiley & Sons, New York, 1978. |
| | 5. M. Thamban Nair, Functional Analysis, A First course, Prentice |
| | Hall of India, New Delhi, 2002. |
| Website and | http://mathforum.org, http://ocw.mit.edu/ocwweb/Mathematics, |
| e-Learning source | http://www.opensource.org, http://en.wikiepedia.org |
| | |

Students will be able to

CL01: Understand the Banach spaces and Transformations on Banach Spaces.

CLO2: Prove Hahn Banach theorem and open mapping theorem.

CLO3: Describe operators and fundamental theorems.

CLO4: Validate orthogonal and orthonormal sets.

CLO5: Analyze and establish the regular and singular elements.

| | | | P | PSOs | | | | | |
|------|---|---|---|------|---|---|---|---|---|
| | 1 | 2 | 3 | 4 | 5 | 6 | 1 | 2 | 3 |
| CLO1 | 3 | 1 | 3 | 2 | 3 | 3 | 3 | 2 | 1 |
| CLO2 | 2 | 1 | 3 | 1 | 3 | 3 | 3 | 2 | 1 |
| CLO3 | 3 | 2 | 3 | 1 | 3 | 3 | 3 | 2 | 1 |
| CLO4 | 1 | 2 | 3 | 2 | 3 | 3 | 3 | 2 | 1 |
| CLO5 | 3 | 1 | 2 | 3 | 3 | 3 | 3 | 2 | 1 |

| Course | e of the | CALCULUS | SOF | VARIA | ATIONS AF | | EGRAL E | QUA | TIONS | | |
|-------------|-----------|---|-------|--------|-------------|----------|-------------|--------|--------------|--|--|
| Paper Nur | mber | CORE XII | | | | | | | | | |
| Category | Core | Year | 11 | | Credits | 5 | Cou | rse | 23PMT12 | | |
| | | Semester | | | | | Cod | е | | | |
| Instruction | nal Hours | Lecture | I | Tuto | orial | Lab P | ractice | То | tal | | |
| per week | | 5 1 6 | | | | | | | | | |
| Pre-requi | site | Calculus | | | | | | | | | |
| Objective | s of the | To stud | dy co | ombi | ned the | conce | epts of | cal | culus and | | |
| Course | | Integral | | | | | | | | | |
| <u>(</u> | .41:000 | | | | | | | | midt Theory | | |
| Course Ou | ittine | | | | - | | | | tions : Max | | |
| | | | | | | | | | ve Examble | | |
| | | | | - | | | | | onditions - | | |
| | | variationa Chapter 2 | | | | - | erut cas | е. | | | |
| | | | | | | | ltinlier - | Vai | riable end | | |
| | | | | | - | - | - | | | | |
| | | points - Sturm-Liouville Problems - Hamilton's Principle - Lagrange's Equations. | | | | | | | | | |
| | | Chapter 2 : Sections 2.7 - 2.11 | | | | | | | | | |
| | | UNIT-III : Integral Equations: Introduction - Relation | | | | | | | | | |
| | | between differential and integral equations - The Green's | | | | | | | | | |
| | | function - Alternative definition of the Green's function. | | | | | | | | | |
| | | Chapter 3 : Sections 3.1 - 3.4. | | | | | | | | | |
| | | UNIT-IV : Linear equation in cause and effect : The influence function | | | | | | | | | |
| | | | | | - | | nels - Illu | ıstro | ative Examl | | |
| | | Chapter 3 | | | | | | | | | |
| | | UNIT-V: H | | | | | | | | | |
| | | solving equ | | | the second | а кіпа - | - The Ne | ита | inn series - | | |
| | | Fredholm theory. Chapter 3 : Sections 3.8 - 3.11. | | | | | | | | | |
| | | cnapter 3 | : 26 | ctions | 5 5.8 - 3.1 | 1. | | | | | |
| Extended | | Questions | relat | ed to | the abov | e tonic | s. from | vari | ous compet | | |
| Profession | al | - | | | | - | | | GATE / TNPS | | |
| Componen | | | | | | | | | | | |
| part of | internal | (To be disc | cusse | d dur | ing the Tu | torial ł | nour) | | | | |
| componen | | , | | | - | | , | | | | |
| Not to be | included | | | | | | | | | | |
| in the | External | | | | | | | | | | |
| Examinati | on | | | | | | | | | | |
| question p | oaper) | | | | | | | | | | |
| Skills | acquired | Knowledge | e, P | robler | n Solving | g, Ana | lytical a | ıbilit | y, Professio | | |
| from this | course | Competency, Professional Communication and Transferrable Skill | | | | | | | | | |
| Recomme | nded | Francis B. Hilderbrand, Method of Applied Mathematics, | | | | | | | | | |
| Text | | Second edition, Prentice-Hall, Inc. | | | | | | | | | |

| Reference Books | M.Krasnov, A.Kiselev, G.Mekarenko, "Problems and Exercises in Integral Equations"(1971) Visalaandhra Publishing House. L.Elsgolts, "Differential Equations and Calculus of Variations", Mir Publishers. Peter J.Collins," Differential & Integral Equations", Oxford University Press. Ram.P.Kanwal, "Linear Integral Equations Theory & Techniques", Academic Press. |
|-------------------|--|
| Website and | <u>http://youtu.be/GiPOQC5nYMs,</u> |
| e-Learning Source | <u>http://youtu.be/WPIBrzjI1KI</u> |

Students will be able to

CLO1: Conceptual Understanding of Maxima and minima , Natural boundary conditions and Transition conditions.

CLO2: *Apply* Constraints and Lagrange Multiplier, Variable end points, Sturm-Liouville Problems.

CLO3: Introduce Integral Equations and study Green's function

CLO4: Discuss influence function and Fredholm equations with separable kernels.

CLO5: *Construct and analyze* Iterative Methods for solving equations of the second kind, Neumann series and Fredholm theory.

| | | | P | PSOs | | | | | |
|------|---|---|---|------|---|---|---|---|---|
| | 1 | 2 | 3 | 4 | 5 | 6 | 1 | 2 | 3 |
| CLO1 | 3 | 1 | 3 | 2 | 3 | 3 | 3 | 2 | 1 |
| CLO2 | 2 | 1 | 3 | 1 | 3 | 3 | 3 | 2 | 1 |
| CLO3 | 3 | 2 | 3 | 1 | 3 | 3 | 3 | 2 | 1 |
| CLO4 | 1 | 2 | 3 | 2 | 3 | 3 | 3 | 2 | 1 |
| CLO5 | 3 | 1 | 2 | 3 | 3 | 3 | 3 | 2 | 1 |

| Title | of the | PROJECT | WITH | I VIVA | VOCE | | | | | | |
|--------------|---------------------|----------|------|--------|----------|---|--------------|----|---------------|--|--|
| Cours | е | | | | | | | | | | |
| Paper | [.] Number | CORE | XIII | | | | | | | | |
| Category | Core | Year II | | | Credits | 7 | Cour | se | 23PMTP | | |
| | | Semester | IV | | | | Code | • | 23FM1F | | |
| Instructiona | al Hours | Lecture | | Tutor | Tutorial | | Lab Practice | | | | |
| per week | | 10 | | - | | | | 10 | | | |

| | | E | | IVE CO | | | | | | | |
|-------------|-----------|--|--|---|--|---------|---------------------------------|---|--|--|--|
| Titleofthe | Course | | GRAI | PH THEOF | RY AND A | APPLI | CATI | ONS | | | |
| Paper Nu | nber | Elective 1 | | | | | | | | | |
| Category | Elective | Year | Ι | Credits | 3 | Cou | rse | 23PMTE1A | | | |
| | | Semester | Ι | | | Cod | | | | | |
| Instruction | nal Hours | Lecture | Tut | orial | | | | Total | | | |
| per week | | 4 | 1 | | | | 5 | | | | |
| Pre-requis | | UG level G | raph Theo | ory concepts | | | | _ | | | |
| Objectives | s of the | - | - | rous introd | uction to | the bas | sic con | ncepts of Graph | | | |
| Course | | Theo | • | | 1 751 | | | | | | |
| | | • To gi | ive applic | ations of G | raph The | ory in | other | disciplines | | | |
| | | | | | | | | | | | |
| Course Or | utline | UNIT-I: Co | onnectivit | y and edge | e connect | ivity: | Verte | x cuts and edge cuts | | | |
| | | - Whitney's inequality (relating K,K and d) - Blocks and blocks of graphs | | | | | | | | | |
| | | - Characteri | zation of | 2 - connect | ted graphs | s and b | locks | - Menger's theorem | | | |
| | | (without pro | oof). | | | | | | | | |
| | | Chapter 3 i | in which | Section 3.3 | 3 is omitte | ed | | | | | |
| | | IINIT_II • In | denende | nt sets.Ind | enendent | sets ar | nd the | ir characterization | | | |
| | | | _ | | - | | | numbers, Covering | | | |
| | | - | | | - | - | | hout proof) - Galli's | | | |
| | | | | | | | | r bounds and lower | | | |
| | | bounds for l | • | | | | | | | | |
| | | Chapter 7 - | • | | • • | upiis | LIGO | | | | |
| | | chapter / | | | | | | | | | |
| | | | 7 . 1 | • | 1 1 | | 1 | | | | |
| | | | | - | | | | of graphs - Critica | | | |
| | | | _ | perties - E | Brook's th | leorem | - Ha | ijo's conjecture and | | | |
| | | Dirac's theo | | 0100 | | | | | | | |
| | | Chapter 8 - | - Sections | 8.1, 8.2 a | nd 8.3 | | | | | | |
| | | UNIT-IV : Chromatic polynomials - The five colour theorem - The four | | | | | | | | | |
| | | IINIT-IV · (| hromatic | nolynomi | als The | five c | olour | theorem The four | | | |
| | | | | 1 • | | | | | | | |
| | | colour theor | | 1 • | | | | | | | |
| | | colour theor with proof | rem with | proof - Ed | ge chrom | atic nu | umber | - Vizing's theorem | | | |
| | | colour theor with proof Chapter 8 · | rem with - Section | proof - Ed | ge chrom | atic nu | umber | - Vizing's theorem | | | |
| | | colour theor with proof | rem with - Section | proof - Ed | ge chrom | atic nu | umber | theorem - The four - Vizing's theorem hapter 6 - Sections | | | |
| | | colour theor with proof Chapter 8 6.1 and 6.2. | rem with - Section | proof - Ed 8.4; Chap | ge chrom t er 9 - Se | atic nu | umber 9.6; C | - Vizing's theorem | | | |
| | | colour theor with proof Chapter 8 - 6.1 and 6.2. UNIT-V | rem with - Section - | proof - Ed 8.4; Chapt ed graphs | ge chrom t er 9 - Se - Direct | ed pa | umber 9.6; C ths (| - Vizing's theorem hapter 6 - Sections Roy-Gallai Theor | | | |
| | | colour theor with proof Chapter 8 - 6.1 and 6.2 UNIT-V Tournar | rem with - Section | proof - Ed 8.4; Chapt ed graphs Directed H | ge chrom t er 9 - Se - Direct | ed pa | umber 9.6; C ths (| - Vizing's theorem hapter 6 - Sections Roy-Gallai Theor | | | |
| | | colour theor with proof Chapter 8 - 6.1 and 6.2 UNIT-V Tournan Ghouila | rem with - Section - - - - - - - - - - - - - | proof - Ed 8.4; Chapt ed graphs Directed H | ge chrom t er 9 - Se - Direct Iamilton | ed pa | umber 9.6; C ths (| - Vizing's theorem | | | |

| Extended | Questions related to the above topics, from various competitive examinations |
|-----------------------|--|
| Professional | UPSC / TRB / NET / UGC — CSIR / GATE / TNPSC / others to be solved |
| Component (is a part | (To be discussed during the Tutorial hour) |
| of internal | |
| component only, | |
| Not to be included in | |
| the External | |
| Examination | |
| question paper) | |
| Skills acquired | Knowledge, Problem Solving, Analytical ability, Professional |
| from this course | Competency, Professional Communication and Transferrable Skill |
| Recommended | J.A. Bondy and U.S.R. Murthy, "Graph Theory with |
| Text | Applications", 1976 |
| Reference Books | 1. F. Harary, Graph Theory, Addison – Wesley, 1969 |
| | 2. G NarasingaDeo, Graph Theory with Applications to Engineering |
| | and Computer |
| Website and | |
| e-Learning Source | |

$Course Learning \, Outcome (for \, Mapping \, with \, POs \, and \, PSOs)$

Students will be able to

- **CLO1:** Solve problems using basic graph theory
- CLO2: Identify induced subgraphs, cliques, matchings, covers in graphs.

CLO3: Determine whether graphs are Hamiltonian and/or Eulerian

CLO4: Solve problems involving vertex and edge connectivity, planarity and crossing numbers

CL05: Solve problems involving vertex and edge coloring

| | | | P | PSOs | | | | | |
|------|---|---|---|------|---|---|---|---|---|
| | 1 | 2 | 3 | 4 | 5 | 6 | 1 | 2 | 3 |
| CLO1 | 3 | 1 | 3 | 2 | 3 | 3 | 3 | 2 | 1 |
| CLO2 | 2 | 1 | 3 | 1 | 3 | 3 | 3 | 2 | 1 |
| CLO3 | 3 | 2 | 3 | 1 | 3 | 3 | 3 | 2 | 1 |
| CLO4 | 1 | 2 | 3 | 2 | 3 | 3 | 3 | 2 | 1 |
| CLO5 | 3 | 1 | 2 | 3 | 3 | 3 | 3 | 2 | 1 |

| Title of the | Course | NUMBER THE | ORY | AND CRY | PTOGRA | PHY | | | |
|---------------------------|--------------|--|---|---|---|--|--|-----------------------------------|--|
| Paper Num | ıber | ELECTIVE-2 | | | | | | | |
| Category | Elective | Year | I | Credits | 3 | Cou Cod | | 23PMTE1B | |
| | | Semester | Ι | | | | | | |
| Instruction | al Hours | Lecture | Tuto | orial | Lab Pr | actice | Total | | |
| per week | | 4 | 1 | | | | 5 | | |
| Pre-requisi | te | UG level Numbe | r The | ory | | | | | |
| Objectives Course | of the | Euclidear powering To unders key crypt To unders cryptogra | n algo , and stand ograp stand phy a ment a | rithm, the C algorithms f fundamental | hinese Rea or integer algorithn theoretic f iples behin | mainder a arithmeti ns for syn Youndation nd their s | algorit c. nmetri ns of 1 ecurit | c key and public- nodern y. | |
| | | divisibility and En factoring. Chapter 1 UNIT II : Introdu systems – Enciph Chapter 3 UNIT III : Finite | action ering Field | to Classical matrices DE s, Quadratic | Crypto sy SS Residues | vstems – S | Some | simple crypto | |
| Extended Component | Professional | UNIT IV: Public Key Cryptography Chapter 4 UNIT V: Primality, Factoring, Elliptic curves and Elliptic curve crypto systems (Chapter 5, sections 1,2,3 &5 (omit section 4), Chapter 6, sections 1& 2 only) Questions related to the above topics, from various competitive examinations UPSC / TRB / NET / UGC – CSIR / GATE / TNPSC / others to be solved (To be discussed during the Tutorial hour) | | | | | | | |
| Skills acq this course | uired from | Knowledge, Prol Professional Com | | U | 2 | | fessio | nal Competency | |

| Recommended Text | 1. Neal Koblitz, A Course in Number Theory and Cryptography, |
|-------------------------|---|
| | Springer-Verlag, New York, 1987 |
| Reference Books | 1. I.Niven and H.S.Zuckermann, An Introduction to Theory of Numbers |
| | (Edn. 3), Wiley Eastern Ltd., New Delhi, 1976 |
| | 2. David M.Burton, Elementary Number Theory, Brown Publishers, |
| | Iowa,1989 |
| | 3. K.Ireland and M.Rosen, A Classical Introduction to Modern Number |
| | Theory, Springer Verlag, 1972 |
| | 4. N.Koblitz, Algebraic Aspects of Cryptography, Springer 1998. |
| Website and | 1. https://nptel.ac.in/courses/111101137 |
| a Laguning Course | 2. https://archive.nptel.ac.in/courses/106/103/106103015/ |
| e-Learning Source | 3. https://onlinecourses-archive.nptel.ac.in/noc17_cs36/preview |

Students will be able to

CLO 1: Illustrate the implications of properties of divisibility and primes

CLO 2: Distinguish the DES and the AES.

CLO 3: Understanding the Law of Quadratic Reciprocity & Quadratic Residues.

CLO 4: Define the fundamentals of cryptography, such as encryption, Authentication and digital signature.

CLO 5:Explain how elliptic curves are used in certain Crypto-graphic algorithms.

| | | | Р | | PSOs | | | | |
|------|---|---|---|---|------|---|---|---|---|
| | 1 | 2 | 3 | 4 | 5 | 6 | 1 | 2 | 3 |
| CLO1 | 3 | 3 | 3 | 3 | 3 | 3 | 3 | 3 | 3 |
| CLO2 | 3 | 2 | 2 | 1 | 2 | 2 | 3 | 2 | 3 |
| CLO3 | 3 | 3 | 3 | 2 | 3 | 3 | 3 | 3 | 3 |
| CLO4 | 3 | 1 | 3 | 3 | 3 | 3 | 3 | 2 | 3 |
| CLO5 | 3 | 2 | 3 | 3 | 3 | 3 | 3 | 3 | 3 |

| Lategory Elective Y So So nstructional Hours L ber week 4 Pre-requisite To Dbjectives of the Course Course UN α-α UN Ty Ty | NIT-I Basic cuts – Extension NIT-II:Op ypes of op | To pro .To in numbe To en c types | ovide the kno troduce the n ers | wledge of c | 8 | e Total 5 | 23PMTE2A | | | | | | | | |
|--|---|---|--|------------------------------|--|---|---|--|--|--|--|--|--|--|--|
| Solution nstructional Hours L per week 4 Pre-requisite Dbjectives of the Course Course UN Ty Course | Semester I Lecture to know the to know the NIT-I Basic cuts – Extern NIT-II:Op ypes of op | To pro .To in numbe To en c types | torial ic structures ovide the kno troduce the n ers | Lab Prac and analysis | Code tice | e Total 5 | | | | | | | | | |
| nstructional Hours L per week 4 Pre-requisite To Dbjectives of the Course Course UN α-α UN Ty Course UN UN UN UN | NIT-I Basic cuts – Extended NIT-I:Op | Tu algebra To pro .To in numbe To en | ic structures ovide the kno troduce the n ers | and analysis | 8 | 5 | l | | | | | | | | |
| Pre-requisite To Dbjectives of the Course Course UN α-α UN Ty Course UN UN Ty Course UN Ty Course UN | NIT-I Basic cuts – Extension NIT-II:Op ypes of op | To pro .To in numb To en | ovide the kno troduce the n ers | wledge of c | | - | | | | | | | | | |
| Dbjectives of the Course Course Outline UN α-α UN Ty Co UN | • • • • • • • • • • • • • • • • • • • | To pro .To in numb To en | ovide the kno troduce the n ers | wledge of c | | | | | | | | | | | |
| Course Outline UN α-α UN Ty Cα UN | NIT-I Basic cuts – Exte NIT-II:Op ypes of op | .To in numbe To en | troduce the n ers | | nerati | To know the algebraic structures and analysis | | | | | | | | | |
| α-α UN Ty Co UN | cuts – Extended NIT-II:Op | • • | | ents to deve | To provide the knowledge of operations on fuzzy sets .To introduce the mathematical field on the concept of a fuzzy numbers To enable the students to develop fuzzy relations. | | | | | | | | | | |
| Ty Co UN | ypes of op | | – Basic co principle for | • | | – Ade | ditional properties o | | | | | | | | |
| | UNIT-II:Operations on Fuzzy sets: Types of operations – Fuzzy complements – t-Norms – Fuzzy Unions – Combinations of operations. | | | | | | | | | | | | | | |
| Co | UNIT-IV : Introduction to Fuzzy graph – Operations on fuzzy graphs – Complement of a fuzzy graph – Cartesian product and composition – Union and join | | | | | | | | | | | | | | |
| exa | UNIT-V : Definition of the concept of Intuitionistic Fuzzy sets: An example – Properties of Intuitionistic Fuzzy sets – Operations and relations over Intuitionistic Fuzzy sets. | | | | | | | | | | | | | | |
| Professional e Component (is a c | examination others to be | ns UPS solved | C / TRB /] | NET / UGO | | | various competitive / GATE / TNPSC / | | | | | | | | |

| Skills acquired | Knowledge, Problem Solving, Analytical ability, Professional |
|----------------------------------|--|
| from this course | Competency, Professional Communication and Transferrable Skill |
| Recommended Text | George J.Klir and Bo Yuan, Fuzzy Sets and Fuzzy Logic, Prentice Hall of India, New Delhi, 2004. A.Nagoor Gani and V.T.Chandrasekaran, A first look at fuzzy Graph Theory, Allied Publishers Pvt.Ltd. Chennai, First Edition (2010). Krassimir T. Atanasov, Intuitionistic fuzzy sets: theory and applications, Springer-Verlag Berlin Heidelberg 1999. |
| Reference Books | H.J. Zimmermann, Fuzzy Set Theory and its Applications, Allied Publishers Limited, New Delhi, 1991. G.J. Klir and B. Yuan, Fuzzy Sets and Fuzzy Logic, Prentice Hall of India, New Delhi, 1995. J.N.Moderson & P.S. Nair Fuzzy graphs and fuzzy hypergraphs. Livro da série: Studies in Fuzziness and Soft Computing, Physica-Verlag, (2000). |
| Website and e-Learning Source | |

Students will be able to

CLO1: Discuss the types of operations on fuzzy sets,

CLO2: t- norms and fuzzy arithmetic.

CLO3 Study knowledge of fuzzy equivalnce relations.

CLO4: Identify fuzzy relations, binary fuzzy relations and fuzzy equivalence relations.

CLO5: Discuss the Operations and relations over Intuitionistic Fuzzy sets and Study knowledge on Fuzzy graphs

| | | | P | PSOs | | | | | |
|------|---|---|---|------|---|---|---|---|---|
| | 1 | 2 | 3 | 4 | 5 | 6 | 1 | 2 | 3 |
| CLO1 | 3 | 1 | 3 | 2 | 3 | 3 | 3 | 2 | 1 |
| CLO2 | 2 | 1 | 3 | 1 | 3 | 3 | 3 | 2 | 1 |
| CLO3 | 3 | 2 | 3 | 1 | 3 | 3 | 3 | 2 | 1 |
| CLO4 | 1 | 2 | 3 | 2 | 3 | 3 | 3 | 2 | 1 |
| CLO5 | 3 | 1 | 2 | 3 | 3 | 3 | 3 | 2 | 1 |

| Title of th | e Course | STATISTICAL | DATA | ANALYSIS | USING R | - PRO | GRA | MMING | | |
|----------------------|------------|---|--|---|---|---|--|---|--|--|
| Paper Nun | | ELECTIVE 4 | - | | - | | | 1 | | |
| Category | Elective | Year | | Credits | 3 | Cour | | 23PMTE2B | | |
| | | Semester | I | | | Code | | | | |
| Instruction | nal Hours | Lecture | Tuto | rial | Lab Practice | | Total | | | |
| per week | | 4 | 1 | | | | 5 | | | |
| Pre-requis | ite | Basic knowledge | e in Co | omputer an | d Statistic | S | | | | |
| Objectives Course | of the | The course aims to provide a study on statistical data analysis using R-Programming. How to use the R software in data visualization. | | | | | | | | |
| Course Ou | tline | R Studio - R Stu Operators - Log and Quitting I structures, vari Numeric, Chara Factors - Sorting Vectors - Specia UNIT II Data Vis Scatter Plots an axes, labels add UNIT III Descrip - Measures of var functions, descr UNIT IV Testing correlation, Chi | udio (ical C R Stu iables acter g Num L Valu ud Box I legen riabili riabili <u>riabe fu</u> Squar | Dverview - Dverview - Derations Idio- Insta and Logica eric, Char es. ation using - and-Whis nds and add statistics ty - Skewn Inctions, ar pothesis u e test, Ana nalytics: L ole regressi | Working i - Using Fu Illing and a types in al Data - acter, and R: Scatte ker Plots d colours. in R: Mea ness and k ad descript ising R: T- ilysis of Va inear Reg ion analys | n the nction load n R: 0 Vector d Facto r Plots Togeth surtosis tive sta test, P riance ressior | Cons s - C ing Crea s - or - Bc er - er - of c s - S atist atist atist and n mo gistic | Customize plot entral tendency summary ics by group. d Test, Correlation del, Non-Linear c Regression, | | |
| F () (| | | | | | | | • | | |
| Extended | Drofossion | Questions relate | | | • | | | competitive | | |
| al Compos | Profession | examinations UI | | | | solve | u | | | |
| al Compon Recomme | | (To be discussed during the Tutorial hour) 1. Crawley, M. J. (2006), -Statistics - An introduction using RI, John Wiley, London 32. 2. Purohit, S.G.; Gore, S.D. and Deshmukh, S.R. (2015), -Statistics using RI, second edition. Narosa Publishing House, New Delhi. 3. Shahababa B. (2011), -Biostatistics with RI, Springer, New York. 4. Braun & Murdoch (2007), -A first course in statistical programming with RI, Cambridge University Press, New Delhi. | | | | | | | | |

| Website and | 1. https://cran.r-project.org/doc/contrib/Owen-TheRGuide.pdf |
|-------------------|--|
| e-Learning Source | 2. https://sphweb.bumc.bu.edu/otlt/MPH-Modules/BS/R/R- |
| | Manual/R- Manual2.html |
| | 3. https://smac-group.github.io/ds/ |
| | 4. https://www.geeksforgeeks.org/predictive-analysis-in-r |

Students will be able to

- CLO1: Describe Installing R and R Studio
- CLO2: Explain Scatter Plots, Box Plots and Scatter Plots and Box
- CLO3: Understand the .Measures of central tendency Measures of variability
- CLO4: Demonstrate the ability to apply T-test, Paired Test, correlation.

CLO5: Use linear Regression model, Non-Linear Least Square

| | | | PSOs | | | | | | |
|------|---|---|------|---|---|---|---|---|---|
| | 1 | 2 | 3 | 4 | 5 | 6 | 1 | 2 | 3 |
| CLO1 | 3 | 3 | 3 | 3 | 3 | 3 | 3 | 3 | 3 |
| CLO2 | 3 | 2 | 2 | 1 | 2 | 2 | 3 | 2 | 3 |
| CLO3 | 3 | 3 | 3 | 2 | 3 | 3 | 3 | 3 | 3 |
| CLO4 | 3 | 1 | 3 | 3 | 3 | 3 | 3 | 2 | 3 |
| CLO5 | 3 | 2 | 3 | 3 | 3 | 3 | 3 | 3 | 3 |

| Title of the | Course | | | | MATHEM | ATICAL S | TATISTI | CS | |
|---|--|--|--|--|--|--|--|--|--|
| Paper Nu | nber | Elective 5 | 5 | | | | | | |
| Category | Elective | Year | Ι | | Credits | 3 | Cou | rse | |
| | | Semester | II | | | | Cod | e | 23PMTE3A |
| Instruction | al Hours | Lecture | • | Tuto | orial | Lab Pr | actice | Tota | al |
| per week | | 3 | | 1 | | | | 4 | |
| Pre-requis | site | UG Level P | robal | bility a | and Statistic | es | | | |
| Objectives Course | s of the | prob | abilit | ty dist | the concept ributions techniques | | | | d continuous |
| Course O | | density – Co of two rando UNIT-III : distributions Distribution UNIT-III : – Transforr variables of of order stat UNIT-IV : random var functions – UNIT-V : Confidence means - χ^2 of quality of | ondit $\frac{\text{om v}}{\text{Sor}}$ $\frac{\text{Sor}}{\text{Sor}}$ $\frac{\text{Sor}}{\text{Sor}}$ $\frac{\text{Sor}}{\text{Sor}}$ $\frac{\text{Sor}}{\text{Sor}}$ $\frac{1}{\text{Sor}$ | ional $\frac{1}{2}$ ariable ne s The The No ibution ns of contin s- The distributes - I Centra roduc rvals t - M mators | distribution es - Mutual pecial dis Poisson di prmal distril ns of functi variables of uous type - moment ge utions of 2 Limiting di l limit theo tion to st for means ore about e s. | - Expect independ tribution stribution oution- The ons of rad of the di - The β , the enerating X and nS ² stribution rem. | ation an lence an lence an s: The he Bivan ndom v screte ty and F of function $2^{2}/\sigma^{2} - E$ is: Lin inferent lence in - Baye | d vari d pair d pair e Bir Gam riate n ariable ype – distrib n techn xpecta niting nce: nterval sian E | ations of functions of moment generatin Point Estimation Is for differences of Estimation- Measure |
| Extended Profession Compone part of componen Not to be in the Examinat | nt (is a internal nt only, included External | examinati others to l | ons be so | UPSC lved | | ET / UG | C - C | | arious competitive GATE / TNPSC / |

| Skills acquired | Knowledge, Problem Solving, Analytical ability, Professional |
|----------------------------------|---|
| from this course | Competency, Professional Communication and Transferrable Skill |
| Recommended | 1. Robert V. Hogg and Allen T. Craig, "Introduction to Mathematical |
| Text | Statistics" (Fifth Edition). |
| | Chapter 2 (Sections 2.1 to 2.4) Chapters 3, 4 (except 4.5 and 4.10), 5(Sections 5.3 and 5.4 only) 6(except 6.4 and 6.5), 7 (Section 7.1 only) 8 (Section 8.1 only) and 9(Sections 9.1 to 9.3). |
| Reference Books | P.Kandasamy,K.Thilagavathi,K.Gunavathi, Probability Statistics and Queueing Theory S.CHAND & Company Ltd Ramnagar, New Delhi. S.P.GUPTA,Statistical methods, Sultan Chand &Sons Educational Publishers, New Delhi. Gupta S.C. and Kapoor V.K., Fundamentals of Mathematical Statistics, Sultan Chand &Sons, 11th Edition, 2003. |
| Website and e-Learning Source | |

Students will be able to

CLO1: The moments of discrete and random variables as well as be familiar with common named continuous random variables

CLO2: To derive the probability density functions of transformations of random variables and use these techniques to generate data from various distributions.

CLO3: To calculate probabilities, and derive the marginal an distributions of bivariate random variables.

CLO4: To calculate confidence intervals for means, differences of mean. *CLO5:* Theory of estimation and measures of quality estimators

| | | | P | PSOs | | | | | |
|------|---|---|---|------|---|---|---|---|---|
| | 1 | 2 | 3 | 4 | 5 | 6 | 1 | 2 | 3 |
| CLO1 | 3 | 1 | 3 | 2 | 3 | 3 | 3 | 2 | 1 |
| CLO2 | 2 | 1 | 3 | 1 | 3 | 3 | 3 | 2 | 1 |
| CLO3 | 3 | 2 | 3 | 1 | 3 | 3 | 3 | 2 | 1 |
| CLO4 | 1 | 2 | 3 | 2 | 3 | 3 | 3 | 2 | 1 |
| CLO5 | 3 | 1 | 2 | 3 | 3 | 3 | 3 | 2 | 1 |

| Title of the | e Course | MODELING AN | D SIM | | WITH EXC | EL | | | | |
|------------------------|-----------------|--|--|-------------|--------------|------|-------|-----------------|--|--|
| Paper Num | ber | ELECTIVE 6 | | | | | | | | |
| Category | Elective | Year | Ι | Credits | 3 | Cou | rs | 23PMTE3B | | |
| | | Semester | II | | | е | | | | |
| | | Code | | | | | | | | |
| Instruction | al Hours | Lecture | Tuto | orial | Lab Practice | | Total | | | |
| per week | | 3 | 1 | | | | 4 | | | |
| Course Out | tline | UNIT I Introduction- How Do We Classify Models? - An Example of Deterministic Modeling -Understanding the Important Elements of a Model UNIT II Model Building with Excel - Basic Model - Sensitivity Analysis - Controls from the Forms Control Tools- Scroll Bars . | | | | | | | | |
| | | Uncertainty -In Monte Carlo S Simulation Me Modeling Arriv HLOOKUP Func UNIT-IV A Operations Ex Building the | Operations Example—Autohaus -Status of Autohaus Model - Building the Brain Worksheet - Building the Calculation Worksheet-Variation in Approaches to Poisson Arrivals— | | | | | | | |
| | | UNIT V Sufficient Sample Size - Building the Data Collection Worksheet -Solver—Constrained Optimization -Example—York River Archaeology Budgeting -Scenarios | | | | | | | | |
| | Profession | Questions relate examinations UI | | | | | | ompetitive | | |
| al Compone | ent | (To be discussed | duri | ng the Tuto | rial hour) | | | | | |
| - | uired n this | Knowledge, Pro Competency, Pr | | • | | | | | | |
| Recommen | ided Text | 1. Hector Guer Simulation,Spr | | | | | | | | |
| Website a e-Learnin | | http://mathfo http://ocw.mi | | | Mathemat | ics, | | | | |
| | | http://www.o | | | | | es.co | om | | |

Students will be able to

CLO 1: Understanding the important elements of a model

- CLO 2: Describe Model Building with Excel CLO 3: Explain the types of simulation and uncertainty
- CLO 4: To know about building the calculation worksheet
- CLO 5: Explain the sufficient sample size

| | | | P | PSOs | | | | | |
|------|---|---|---|------|---|---|---|---|---|
| | 1 | 2 | 3 | 4 | 5 | 6 | 1 | 2 | 3 |
| CLO1 | 3 | 1 | 3 | 2 | 3 | 3 | 3 | 2 | 1 |
| CLO2 | 2 | 1 | 3 | 1 | 3 | 3 | 3 | 2 | 1 |
| CLO3 | 3 | 2 | 3 | 1 | 3 | 3 | 3 | 2 | 1 |
| CLO4 | 1 | 2 | 3 | 2 | 3 | 3 | 3 | 2 | 1 |
| CLO5 | 3 | 1 | 2 | 3 | 3 | 3 | 3 | 2 | 1 |

| Title of the | e Course | | MAT | THEMATIC | CAL PROC | GRAN | AMI | NG | | | |
|------------------------|-------------------|---|--|--|--|---|---------------------------------|---------------------------|--|--|--|
| Paper Nu | nber | ELECTIVE 7 | | <u>.</u> | <u>.</u> | | | | | | |
| Category | Elective | Year Semester | I II | Credits | 3 | Cou Cod | | 23PMAE4A | | | |
| Instruction | nal Hours | Lecture | Tuto | orial | Lab Pract | tice | Tot | al | | | |
| per week | | 3 | 1 | | | | 4 | | | | |
| Objectives Course | s of the | This course introduces advanced topics in Linear and non-linear Programming | | | | | | | | | |
| Course Ou | ıtline | UNIT-I Introduction : Concept as optimization – statement of the problem – classical optimization – classical treatment as inequality constraints. Chapter 1 Sections: 1.1 to 1.4 | | | | | | | | | |
| | | UNIT-II No condition – Qua Chapter 2 Sectio | dratic | Programn | 0 | | | necessary | | | |
| | | UNIT-III Search method for unconstrained optimization : Gride Search- Hooke and Jeeves Method – Fibbonacci series. Chapter 3Sections: 3.1 to 3.3, 3.6 | | | | | | | | | |
| | | UNIT-IV Gradient method for unconstrained optimization: The Newton-Raphson method – The Davident – Fletcher power method – The complementary DFF formula Chapter 4 Sections: 4.1 to 4.5 UNIT-V Dynamic Programming: The Allocation Problem – Oriented and Non-Network – The Farmer's problem – Scheduling | | | | | | | | | |
| | | problem. Chapter 6 Section | ons: | 6.1 to 6.6. | | | | | | | |
| Extended F Componen | Professional t | Questions relate examinations UI (To be discussed | PSC / | TNPSC / o | thers to be s | | | petitive | | | |
| - | juired m this | Knowledge, Pro Competency, Pr | oblem | Solving, A | analytical at | | | | | | |
| Recommer | nded Text | G.R. Walsh <i>, "</i> Me York 1975. | ethod | of Optimi | zation ",Joł | ın Wi | ley a | nd Sons, New | | | |
| Reference | Books | Hamdy A. Ta Hall of India Pri F.S. Hillier & Edition) TataMc Beightler. C, (2nd Edition) Pro- | vate I J.Lie Graw D.Phi entice | Limited, Ne berman Intr Hill ompar illips, B. W Hall Pvt L | w Delhi, 19 roduction to ny, New De ilde ,Founda td., New Yo | 97. Oper Ihi, 20 ations ork, 19 | cation 001. 5 of O 979 | Research (7th ptimization | | | |
| | | 4. S.S. Rao - Op Ltd. New Delhi | | | ry and Appl | icatio | ns, W | iley Eastern | | | |

Students will be able to

| CO1 | Explain the concept as optimization and classical treatment as inequality constraints. |
|-----|--|
| CO2 | Solving Nonlinear Programming problems. |
| CO3 | Apply the Gride Search- Hooke and Jeeves Method. |
| CO4 | Understanding the Newton-Raphson method and the complementary DFF formula. |
| CO5 | Solving the Allocation Problem and Oriented and Non-Network problem. |

| | | | | PSOs | | | | | |
|------|---|---|---|------|---|---|---|---|---|
| | 1 | 2 | 3 | 4 | 5 | 6 | 1 | 2 | 3 |
| CLO1 | 3 | 3 | 3 | 3 | 3 | 3 | 3 | 3 | 3 |
| CLO2 | 3 | 2 | 2 | 1 | 2 | 2 | 3 | 2 | 3 |
| CLO3 | 3 | 3 | 3 | 2 | 3 | 3 | 3 | 3 | 3 |
| CLO4 | 3 | 1 | 3 | 3 | 3 | 3 | 3 | 2 | 3 |
| CLO5 | 3 | 2 | 3 | 3 | 3 | 3 | 3 | 3 | 3 |

| Title of the Course | MACHI | NE L | EAR | NING AND | ARTIFIC | CIAL | INTE | LLIGENCE | |
|-----------------------|---|--------|---------|---------------|---------------------|---------|----------|----------------------------------|--|
| Paper Number | Elective 8 | | | | | | | | |
| Category Elective | Year | Ι | | Credits | 3 | Cou | rse | 22DMTE4D | |
| | Semester | II | | | | Cod | e | 23PMTE4B | |
| Instructional Hours | Lecture | | Tuto | rial | Lab Prac | tice | Tota | | |
| per week | 3 | | 1 | | | | 4 | | |
| Pre-requisite | Linear Algo | ebra a | and Ca | lculus, Pro | bability Ba | sics | | | |
| Objectives of the | 1. Unde | rstand | ding H | luman learn | ing aspects | S. | | | |
| Course | 2. Acqu | aintaı | nce wi | th primitive | es in the lea | arning | proces | ss by computer. | |
| | 3. Unde | rstand | ding th | ne nature of | problems s | solved | l with] | Machine | |
| | Lear | 0 | | | | | | | |
| | | | | sic principle | | | | | |
| | | | _ | heuristic s | | | - | 1 (1) (1) | |
| | | | | | | | | ples of Machine | |
| | 0 1 | | | Training v | ersus Test | ing, I | Positiv | e and Negative | |
| | Class, Cross- | | | | | | | | |
| | UNIT-II : | | | - | - | | - | vised and Semi- | |
| | Supervised | | 0 | Dimensio | • | eductio | | introduction to | |
| | Dimensionality Reduction, Subset Selection, Introduction to Principal Component Analysis. | | | | | | | | |
| | * | | | • | 7 / T | • | 0 | 1. 0 | |
| | UNIT-III : Concept Learning: Concept Learning, General-to-Specific Ordering: Task, search, Find S algorithm, Version space and the candidate | | | | | | | | |
| | elimination algorithm, List-then-eliminate algorithm, inductive bias. | | | | | | | | |
| | | | | | | | | | |
| | UNIT-IV: Fundamentals of Artificial Intelligence Introduction, A.I. Representation, Non-AI & AI Techniques, | | | | | | | | |
| | · · · · · · · · · · · · · · · · · · · | | | - | | | | I Techniques, ns, State Space | |
| | | | | | | | | | |
| | Search, Production Systems, Problem. Characteristics, types of production systems, Intelligent Agents and Environments, concept of rationality, the | | | | | | | | |
| | • | 0 | 0 | | | | - | solving agents, | |
| | problem forn | | | , | 0 | · · · | | 6 6, | |
| | UNIT – V: U | | | l Search St | rategies | | | | |
| | Formulation | of re | eal wo | orld problem | ns, Breadt | h Firs | st Sear | ch, Depth First | |
| | Search, Dept | th Li | mited | Search, Ite | erative Dee | epenin | g Dep | th First Search, | |
| | | | | - | | | | arch Strategies, | |
| | Searching with partial information, Sensor-less problems, Contingency | | | | | | | | |
| | problems. | | | | | | | | |
| Extended Professional | | | | | | | | | |
| 1 | | | | KB / NET | / UGC – (| SIK | / GAI | E / TNPSC / | |
| a part of internal | others to be | | | a tha Tu | | | | | |
| | (To be discu torial hour) | 55CU | uuIIII | g me 1u | | | | | |
| only, Not to be | (011a1 110UL) | | | | | | | | |
| included in the | | | | | | | | | |
| External | | | | | | | | | |
| Examination | | | | | | | | | |
| question paper) | | | | | | | | | |

| Skills acquired from this course | Knowledge, Analyze research based problems using Machine learning techniques, Understand the basics of the theory and practice of Artificial Intelligence as a discipline. |
|----------------------------------|--|
| Recommended | |
| Text | 1. T. Mitchell, "Machine Learning", McGraw-Hill, 1997. 2. Anup Kumar Srivastava, Soft Computing, Alpha Science International limited, 2009. |
| | Elaine Rich and Kevin Knight: "Artificial Intelligence." Tata McGraw Hill |
| | 4. Stuart Russell & Peter Norvig : "Artificial Intelligence : A Modern Approach", Pearson Education, 2nd Edition. |
| Reference Books | 1. Ethem Alpaydin, "Introduction to Machine Learning", MIT press, 2004. |
| | 2. Jacek M. Zurada, "Introduction to Artificial neural System", JAICO publishing house,2002,. |
| | 3. Ivan Bratko : "Prolog Programming For Artificial Intelligence" , 2nd Edition Addison Wesley, 1440. |
| | 4. Eugene, Charniak, Drew Mcdermott: "Introduction to Artificial Intelligence.", Addison Wesley |
| Website and | 1. www.nptelvideos.in |
| e-Learning Source | http://www.eecs.qmul.ac.uk/~mmh/AINotes/AINotes4.pdf https://www.slideshare.net/JismyKJose/conceptual- dependency-70129647 |

$Course Learning \, Outcome (for \, Mapping \, with \, POs \, and \, PSOs)$

Students will be able to

CLO1: Demonstrate knowledge of learning algorithms and concept learning through Implementation for sustainable solutions of applications.

- CLO2: Evaluate decision tree learning algorithms
- CLO3: Analyze research based problems using Machine learning techniques
- **CLO4:** Understand the basics of the theory and practice of Artificial Intelligence as a discipline and about intelligent agents capable of problem formulation.
- **CLO5**: Evaluation of different uninformed search algorithms on well formulates problems along with stating valid conclusions that the evaluation supports.

| | | | PSOs | | | | | | |
|------|---|---|------|---|---|---|---|---|---|
| | 1 | 2 | 3 | 4 | 5 | 6 | 1 | 2 | 3 |
| CLO1 | 3 | 1 | 3 | 2 | 3 | 3 | 3 | 2 | 1 |
| CLO2 | 2 | 1 | 3 | 1 | 3 | 3 | 3 | 2 | 1 |
| CLO3 | 3 | 2 | 3 | 1 | 3 | 3 | 3 | 2 | 1 |
| CLO4 | 1 | 2 | 3 | 2 | 3 | 3 | 3 | 2 | 1 |
| CLO5 | 3 | 1 | 2 | 3 | 3 | 3 | 3 | 2 | 1 |

| | he Course | | | | | | | | | | |
|--|--|----------|------------|------|---------|------------------|--|---------|----------|--|--|
| Paper Nu | Paper Number | | Elective 9 | | | | | | | | |
| Category | Elective | Year II | | | Credits | 3 | Cou | rse | 23PMTE5A | | |
| | | Semester | | | | | Cod | е | | | |
| Instructional Hours | | Lecture | | Tuto | orial | Lab Pra | ctice | e Total | | | |
| per week | | 3 | | | | | | 3 | | | |
| Pre-requi | site | | | • | | | | | | | |
| Objectives of the Course Understand the Matlab Desktop, Command window a Graph Window. Be able to carry out numerical computations and analy Understand the mathematical concepts upon which numerical methods rely | | | | | | ns and analyses. | | | | | |
| Course Ou | UNIT-I: Introduction: Basics of MATLAB -MATLAB windows - on line help - I Output, File types - Platform dependence - General commands. Chapter 1 Section: 1.6. UNIT-II : Interactive Computation: Matrices and Vectors - Matri Array operations - Character Strings - A special note on array opera command line functions - Using Built-in Functions and On-line I Saving and loading data - Plotting simple graphs. Chapter 3 Section: 3.1 to 3.8. | | | | | | imands. ors - Matrix and array operators - | | | | |

| | UNIT-III : Programming in MATLAB: Scripts and Functions - Script files - Functions files- Language specific features - Advanced Data objects. <i>Chapter 4 Section: 4.1 to 4.4</i> . |
|--|--|
| | UNIT-IV: Applications: Linear Algebra - Curve fitting and Interpolation - Data analysis and Statistics - Numerical Integration - Ordinary differential equations - Nonlinear Algebraic Equations. Chapter 5 Section: 5.1 to 5.6 |
| | UNIT-V: Graphics: Basic 2-D Plots - Using subplot to Layout multiple graphs - 3 - D Plots - Handle Graphics - Saving and printing Graphs. Chapter 6 Section: 6.1 to 6.6. |
| Extended Professional Component (is a | Questions related to the above topics, from various competitive examinations UPSC / TRB / NET / UGC – CSIR / GATE / TNPSC / others to be solved |
| part of internal component only, Not to be included in the External | (To be discussed during the Tutorial hour) |
| Examination question paper) | |
| Skills acquired from this course | Knowledge, Problem Solving, Analytical ability, Professional Competency, Professional Communication and Transferrable Skill |

| ecommended Text | RUDRA PRATAP, Getting Started with MATLAB - A Quick Introduction for Scientistsand Engineers, Oxford University Press, 2003. |
|--------------------|--|
| Reference Books | REFERENCE BOOKS: 1.William John Palm, Introduction to Matlab 7 for Engineers, McGraw- Hill,Professional, 2005. 2.Dolores M. Etter, David C. Kuncicky , Introduction to MATLAB 7, Prentice Hall,2004. |
| Website and | Web Link: |
| e-Learning Source | 1. http://nptel.ac.in/courses/103106074/ |
| | 2. <u>http://nptel.ac.in/courses/122106033/</u> |
| | 3. <u>https://www.youtube.com/watch?v=SpAp7QACF34</u> |
| | 4. <u>https://www.youtube.com/watch?v=1PSFLKiEV7U</u> |
| | 5. <u>https://www.youtube.com/watch?v=OHxR8iMHDWw</u> |
| | 6. <u>https://www.youtube.com/watch?v=ZIjRXpqVtp0</u> |

Students will be able to

CLO1: Understanding the Important Elements of a Model

CLO2: Basic Model, Sensitivity Analysis and Controls

from the Forms Control Tools

CLO3: Know about Types of Simulation and Uncertainty.

CLO4:.Understand A Financial Example, Income

Statement and an Operations.

CLO5: Explain Sufficient Sample Size and building the Data Collection Worksheet

| | | | PSOs | | | | | | |
|------|---|---|------|---|---|---|---|---|---|
| | 1 | 2 | 3 | 4 | 5 | 6 | 1 | 2 | 3 |
| CL01 | 3 | 1 | 3 | 2 | 3 | 3 | 3 | 2 | 1 |
| CLO2 | 2 | 1 | 3 | 1 | 3 | 3 | 3 | 2 | 1 |
| CLO3 | 3 | 2 | 3 | 1 | 3 | 3 | 3 | 2 | 1 |
| CLO4 | 1 | 2 | 3 | 2 | 3 | 3 | 3 | 2 | 1 |
| CLO5 | 3 | 1 | 2 | 3 | 3 | 3 | 3 | 2 | 1 |

| Title of the | | LIE GROUPS a | nd LI | E ALGEBF | RAS | | | | | |
|---|--------------|---|---|--|--|---|---|---|--|--|
| Paper Num | r | ELECTIVE 10 | | | 1 | | | <u> </u> | | |
| Category | Elective | Year | Π | Credits | 3 | Cou | | 23PMTE5B | | |
| | | Semester | Ш | | | Code | 9 | | | |
| Instruction | al Hours | Lecture | Tuto | orial | Lab Practice Total | | | al | | |
| per week | | 3 3 | | | | | | | | |
| Pre-requisi | te | UG level linear a | lgebra | a and matrix | groups. | | | | | |
| Objectives Courseof thethe1. In physics, Lie groups appear as symmetry groups systems, and their Lie algebras (tangent vectors ne may be thought of as infinitesimal symmetry motion 2. Lie algebras and their representations are used externotably in quantum mechanics and particle physics | | | | | | | nean notion exter | r the identity) | | |
| Course Out | tline | UNIT I: Matrix I Chapter 1 | Lie Gr | oups | | | | | | |
| | | UNIT II: The Ma Chapter 2 UNIT III: Lie Al Chapter 3 UNIT IV: Basic | gebras | 3 | eory | | | | | |
| | | Chapter 4 | | | | | | | | |
| | | UNIT V: Semisir | nple L | ie Algebras | | | | | | |
| | | Chapter 7 | | | | | | | | |
| Extended Component | Professional | Questions related UPSC / TNPSC / | | - | | ious con | npeti | tive examinations | | |
| | | (To be discussed | during | the Tutoria | l hour) | | | | | |
| Skills acq this course | uired from | Knowledge, Pro Professional Com | | - | | | essio | nal Competency, | | |
| Recommen | ded Text | 1. Brain Ha Elementa | | | 0 | • | | ations: An , USA, 2015. | | |
| Reference I | Books | V. S. Var Sringer 1 Brian Ha 2003. Barry Sir 1996. A. W. Kr overview S. Kuman | radaraj 984. Il, Lie non, R happ, H based resan S I Read | an, Lie grou groups, Lie tepresentatio Representatio on example S, A course i lings in Mat | ups, Lie alge algebras and ons of finite on theory of es, Princetor n differentia | bras and d represe and com semism n univers | l thei entat npact niple sity p | r representations, ions, Springer groups, AMS Lie groups. An | | |

| Website and | 1. <u>https://archive.nptel.ac.in/courses/111/108/111108134/</u> |
|-------------------|---|
| e-Learning Source | 2. <u>https://www.digimat.in/nptel/courses/video/111108134/L42.html</u> |

Students will be able to

CLO 1: demonstrate systematic understanding of key aspects of Matrix Lie Groups and Lie Lie groups

CLO 2: Determine the exponential of a matrix.

CLO 3:Differentiate Lie groups and Lie Algebras

CLO 4: Find the representation of $s_1(2; C)$.

CLO 5:Explain reductive Lie algebra

| | | | | PSOs | | | | | |
|------|---|---|---|------|---|---|---|---|---|
| | 1 | 2 | 3 | 4 | 5 | 6 | 1 | 2 | 3 |
| CLO1 | 3 | 2 | 3 | 2 | 2 | 2 | 3 | 2 | 2 |
| CLO2 | 2 | 2 | 2 | 2 | 1 | 1 | 3 | 1 | 1 |
| CLO3 | 3 | 2 | 2 | 2 | 1 | 1 | 3 | 2 | 2 |
| CLO4 | 2 | 2 | 3 | 2 | 2 | 1 | 2 | 2 | 1 |
| CLO5 | 3 | 2 | 2 | 2 | 1 | 2 | 2 | 2 | 2 |

| Course Course Outline | Semester Lecture 3 • To underst situations. • To learn th F- Test, Au | II IV | Tuto 1 | Credits orial | 3 | Cour Code | | 23PMTE6A |
|---|--|---|---|---|---|---|--|---|
| Category Elective Instructional Hours Der week Pre-requisite Objectives of the Course | Semester Lecture 3 • To underst situations. • To learn th F- Test, Au | IV | | | | | | 23PMTE6A |
| Hours per week Pre-requisite Objectives of the Course Course Outline | Lecture3• To underst situations.• To learn th F- Test, Au | | | orial | | Cod | е | |
| Hours per week Pre-requisite Objectives of the Course Course Outline | 3 To underst situations. To learn the F- Test, And F- Te | and th | | orial | | | | |
| per week Pre-requisite Objectives of the Course Course Outline | To underst situations. To learn the F- Test, And State State | and th | 1 | | Lab Prac | tice | Tot | al |
| Pre-requisite Objectives of the Course Course Outline | situations. • To learn th F- Test, Ar | and th | | | | | 4 | |
| Objectives of the Course Course Outline | situations. • To learn th F- Test, Ar | and th | | | | | | |
| Course Course Outline | situations. • To learn th F- Test, Ar | and the | ~ | | | | | |
| | the power of – Universe D samples – Te Distribution. Chapter: 3 UNIT-II: CH Conditions for Chi – square of Population Chapter:4 UNIT-III: F | nalysi <u>mode</u> tistica Testi Two a Hyp Distrib est of s II – Se or app test – n Vari | s of <u>ls to r</u> al Infe ng Hy tailed pothes ution signifi quare olying - Addi ence - | variance, eorient thei rence – Tes pothesis – l and one ta sis Test – S – Estimatic icance of sr Test and G chi – squar tive proper – Limitation | Experiment <u>ir knowledg</u> st of Hypoth Two types iled Tests of tandard error on – Tests of nall sample oodness of re test – Yai ty – Chi- so ns on the us variance : 7 | ntal I ge of signation of error of Hyp or and of signation es – Ap fit : In te's co puare t se of C | Desig ampli Intro ors in othes samp ificar oplica itrodu orrect est fo Chi –s | Testing of sis – Measuring pling Distribution ace for large ations of the t- action – ions – Uses of or specified value square test |
| | in Analysis o of variance in Chapter :5 UNIT-IV : E Design – Ad | f Var n Two xperii vantag s – Ste | iance -way menta ges of eps in | Technique classificati 1 Designs : a complete construction | e of Analys on Model Introductional | sis of on – R nized E nare - 1 | Varia ando Exper Rand | e – Assumptions nce – Analysis mized Block imental Design - omized Blocks |

| | UNIT-V : Business Forecasting : Introduction – Role of Forecasting in Business – Steps in Forecasting – Methods of Forecasting – Choice of a method of Forecasting – Theories of Business Forecasting – Forecasting Agencies. Chapter: 8 |
|---|--|
| Extended Professional Component (is a part of internal component only, Not to be included in the External Examination question paper) | Questions related to the above topics, from various competitive examinations UPSC / TRB / NET / UGC – CSIR / GATE / TNPSC / others to be solved (To be discussed during the Tutorial hour) |
| Skills acquired from this course Recommended Text | Knowledge, Problem Solving, Analytical ability, Professional Competency, Professional Communication and Transferrable Skill Dr.S.P.Gupta, Statistical Methods, Sultan Chand and Sons Educational Publishers New Delhi |
| RefereEce Books | Bensal A (2017). Survey Sampling, Narosa Publishing House Pvt. Ltd. Cochran, W. G. (1977). Sampling Techniques, Third edition, Wiley Eastern Ltd. Gupta A K and Kabe D G (2011), Theory of Sample Surveys, World Scientific. Mukhopadhyay, M. (2009). Theory and Methods of Survey Sampling, Second Edition, PHI Learning Pvt. Ltd. Murthy, M. N. (1967). Sampling Theory and Methods, Statistical Publishing Society, Calcutta. Sampath, S. (2001). Sampling Theory and Methods, Second edition, Narosa Publishing Company, New Delhi. Singh, D. and Chaudhary, F.S. (1986). Theory and Analysis of Sample Survey Designs, Wiley Eastern Ltd. Sukhatme, P.V. and Sukhatme, B.V. (1970). Sampling Theory of Surveys with Applications, second edn, Asia Publishing House, Bombay. |
| Website and e-Learning Source | https://towardsdatascience.com> website-for-statistics https://www.copypress.com> resources> 12 places-you- https://guide.emich.edu.data>free-data |

Course Outcome

At the end of the course the students will be able to

1. frame a Hypothesis according to the problem settled by them

2. Gather the knowledge about Statisticl Inference, Chi-square test and its Applications.

3. To acquire the knowledge about F- Test, Experimental Design, Latin square, Randomized Block and Latin Cubes.

4. To understand the methods of Business Forecasting, its techniques and the methods of Forecasting.

| | | | P | Os | | | | PSOs | |
|------|---|---|---|----|---|---|---|------|---|
| | 1 | 2 | 3 | 4 | 5 | 6 | 1 | 2 | 3 |
| CLO1 | 3 | 3 | 3 | 3 | 3 | 3 | 3 | 3 | 3 |
| CLO2 | 3 | 2 | 2 | 1 | 2 | 2 | 3 | 2 | 3 |
| CLO3 | 3 | 3 | 3 | 2 | 3 | 3 | 3 | 3 | 3 |
| CLO4 | 3 | 1 | 3 | 3 | 3 | 3 | 3 | 2 | 3 |
| CLO5 | 3 | 2 | 3 | 3 | 3 | 3 | 3 | 3 | 3 |

| Title of the | e Course | MATHEMATI | CAL | PYTHON | | | | | | | | | | | | | |
|--------------|-----------|---|----------|--------------|-----------|-----------|--------|--|--|--|--|--|--|--|--|--|--|
| Paper Nur | nber | ELECTIVE 12 | } | | | | | | | | | | | | | | |
| Category | Elective | Year | II | Credits | 3 | Cours | se | 23PMTE6B | | | | | | | | | |
| | | Semester | IV | - | | Code | | | | | | | | | | | |
| Instruction | nal Hours | Lecture | Tuto | orial | Lab Pi | ractice | To | tal | | | | | | | | | |
| per week | | 3 | 1 | | | | 4 | | | | | | | | | | |
| Pre-requis | ite | | | | | | | | | | | | | | | | |
| Objectives | of the | This course aim | IS | | | | | | | | | | | | | | |
| Course | | ➤ To introduce | e to stu | dents Pyth | on progra | amming. | | | | | | | | | | | |
| | | ≻ To learn pyth | hon co | ding to imp | olement a | algorithm | ns foi | r Mathematical | | | | | | | | | |
| | | problems. | | | | | | | | | | | | | | | |
| Course Ou | ıtline | Unit-I Introdu | iction | to Python | n Basic | syntax, | varia | able types, basic | | | | | | | | | |
| | | operators, num | bers, | strings, lis | ts, tuple | s, functi | ons | and input/output | | | | | | | | | |
| | | statements. So | me si | imple prog | grams to | o unders | stand | l the relational | | | | | | | | | |
| | | conditional and | l logic | cal operator | rs. Comj | pare two | nun | nbers (less than | | | | | | | | | |
| | | greater than) us | sing if | statement. | Sum of | natural | num | bers using while | | | | | | | | | |
| | | loop; Finding t | he fac | ctors of a | number | using for | r loo | p; To check the | | | | | | | | | |
| | | given number | is pri | me or not | t (use if | else | state | ement); Find the | | | | | | | | | |
| | | factorial of a m | umber | use ifif | else).; | Simple 1 | progi | rams to illustrate | | | | | | | | | |
| | | logical operator | s (and | , or, not). | | | | | | | | | | | | | |
| | | Unit II Matric | es Di | ifferential | Cəlculu | s & Ang | lytic | cal Geometry of | | | | | | | | | |
| | | | <i>.</i> | | | | • | given matrix to | | | | | | | | | |
| | | echelon form | | 2 | | with | | imples. Pythor | | | | | | | | | |
| | | | | | | | | otherwise and | | | | | | | | | |
| | | 1 0 | | | | | • | d to find the nth | | | | | | | | | |
| | | | | • | • | | | with and withou | | | | | | | | | |
| | | • | | U | | | | andard functions | | | | | | | | | |
| | | | | | | | | acobean. Pythor | | | | | | | | | |
| | | | | | | | | • | | | | | | | | | |
| | | program for rec | uction | i formula v | vith or w | nnout In | inits. | program for reduction formula with or without limits. Python program | | | | | | | | | |
| | | to find equation and plot sphere, cone, cylinder. | | | | | | | | | | | | | | | |

| | Unit III Roots of High-Degree Equations- Systems of Linear |
|---|--|
| | Equations Introduction, Simple Iterations Method - Finite Differences |
| | Method, Gauss Elimination Method: Algorithm, Gauss Elimination |
| | Method, Jacobi's Method, Gauss-Seidel's Method. |
| | Unit IV Numerical differentiation, Integration and Ordinary Differential Equations Introduction & Euler's Method, Second Order Runge-Kutta's Method, Fourth Order Runge-Kutta's Method, Fourth Order Runge-Kutta's Method: Plot Numerical and Exact Solutions. |
| | Unit V Two-Point Boundary Value Problems Introduction to two- point boundary value Problems: second order differential equations - Higher order differential equations - solution of second order differential equation using Finite Difference Method. |
| Extended Professional Component (is a part of internal component only, Not to be included in the External Examination question paper) | Questions related to the above topics, from various competitive examinations UPSC /TNPSC / others to be solved (To be discussed during the Tutorial hour) |
| Skills acquired from this course | Knowledge, Problem Solving, Analytical ability, Professional Competency, Professional Communication and Transferrable Skill |
| Recommended Text | J. Kiusalaas, Numerical methods in engineering with Python 3. Cambridge University Press, 2013. |
| Reference Book | H. P. Langtangen, Solving PDEs in Python: the FEniCS tutorial I. Springer Open, 2016 |
| Website and | http://mathforum.org, |
| e-Learning Source | http://ocw.mit.edu/ocwweb/Mathematics, |
| | http://www.opensource.org, www.mathpages.com |
| | |

Students will be able to

CLO1: To learn how to use Python.

CLO2: Explain Python commands to find nth derivatives.
CLO3: Understand the .Simple Iterations in Python.
CLO4: Numerical differentiation, Integration using Python.
CLO5: Two-Point Boundary Value Problems in Python.

| | | | PO | Os | | | | PSOs | |
|------|---|---|----|----|---|---|---|------|---|
| | 1 | 2 | 3 | 4 | 5 | 6 | 1 | 2 | 3 |
| CLO1 | 3 | 3 | 3 | 3 | 3 | 3 | 3 | 3 | 3 |
| CLO2 | 3 | 2 | 2 | 1 | 2 | 2 | 3 | 2 | 3 |
| CLO3 | 3 | 3 | 3 | 2 | 3 | 3 | 3 | 3 | 3 |
| CLO4 | 3 | 1 | 3 | 3 | 3 | 3 | 3 | 2 | 3 |
| CLO5 | 3 | 2 | 3 | 3 | 3 | 3 | 3 | 3 | 3 |

| | | SKILL I | ENI | IAN | CEMEN | NT COU | RSF | ES | | | | |
|----------------------|----------|--|---|---|---|---|------------------------------|-------|---|--|--|--|
| Titleofthe | Course | MA | THE | MAT | ICAL DOO | CUMENTA | TIO | N USI | ING LATEX | | | |
| Paper Nun | nber | Skill Enha | ncer | nent | Course-1 | | | | | | | |
| Category | SEC | Year | Ι | | Credits | 2 | Cou | rse | 23PMTSE1 | | | |
| | | Semester | Π | | | | Cod | e | 231 WI I SE I | | | |
| Instruction | al Hours | Lecture | | Tuto | orial | Lab Prac | tice | Tota | l | | | |
| per week | | 3 | | 1 | | | | 4 | | | | |
| Pre-requis | ite | Basic | : Mat | hemat | ics and Pro | gramming l | Know] | ledge | | | | |
| Objectives Course | of the | Prepare students to impart the knowledge of mathematical software an made them to prepare mathematical documents / their projects using th software. | | | | | | | | | | |
| Course Ou | tline | Unit I: I | ntrod | luctio | n: | | | | | | | |
| | | Basic Char Unit II: Com Leng Char | rs of a oter 1 Text, mand ths - 1 oter 2 | A LAT : Sect Syml nam Specia 2: Sect | EX file – T tions: 1.1-1 bols, Comm es and arg al Character tions: 2.1 – | EX Process .3, 1.5 - 1.6 nands: numents – rs - Exercise 2.6. | sing P 5. Envir es. | onme | EX and its offspring, ure. nts – declarations – | | | |
| | | Unit III: Document Layout and Organization: Document class - Page style - Parts of the document - Table of contents. Chapter 3: Sections: 3.1 – 3.4. | | | | | | | | | | |
| | | Unit IV: Displayed Text: Changing font - Centering and indenting – lists - generalized lists - Theorem-like declarations - Tabulator stops – Boxes – Tables - Printing literal text, Footnotes and marginal notes – Comments within text. Chapter 4: Sections: 4.1 – 4.11. | | | | | | | | | | |
| | | Math Math - Bey | emat emat | ical e ical sy standa | | ts - Main ditional ele | | | of math mode - e-tuning mathematics | | | |

| Extended | Quantiana related to the shows taning from various competitive eveningtions |
|-----------------------|---|
| Professional | Questions related to the above topics, from various competitive examinations UPSC / TRB / NET / UGC — CSIR / GATE / TNPSC / others to be solved |
| | |
| Component (is a part | (To be discussed during the Tutorial hour) |
| of internal | |
| component only, | |
| Not to be included in | |
| the External | |
| Examination | |
| question paper) | |
| Skills acquired | Knowledge, Problem Solving, Analytical ability, Professional |
| from this course | Competency, Professional Communication and Transferrable Skill |
| Recommended | A guide to LATEX and Electronic Publishing by H. Kopka and |
| Text | P.W. Daly , Fourth Edition, Addison – Wesley, London, 2003. |
| | (https://www2.mps.mpg.de/homes/daly/GTL/gtl_20030512.pdf |
| Reference Books | H. Kopka and P.W. Daly, A Guide to LaTeX2 _ɛ ; Document Preparation for Beginners and Advanced Users, 2nd edition, 1995, ISBN 0-201-42777-X published by Addison-Wesley. |
| | The standard reference for what goes on inside TeX is <i>The TeXbook</i> by Donald E. Knuth, 1986, ISBN 0-201-13448-9, published jointly by the American Mathematical Society and Addison-Wesley. |
| | M. Goossens, F. Mittelbach, and A. Samarin, <i>The LaTeX Companion</i> , published by Addison-Wesley, ISBN 0-201-54199-8 (essential for the serious LaTeX hackers). |
| Website and | https://www.overleaf.com/home-2 |
| e-Learning Source | https://papeeria.com/ |

Students will be able to

CLO1: Understand the basic concepts of starting windows and

solve the LATEX applications

CLO2: Create Command names and arguments in LATEX..

CLO3: Solve problems using M files and apply the same for advanced data objects in LATEX.. **CLO4**: Know about the Document class, Page style and Parts of the document in LATEX CLO5:.Understand how to use Mathematical Formulas

| | | | PO | Os | | | PSOs | | | |
|------|---|---|----|----|---|---|------|---|---|--|
| | 1 | 2 | 3 | 4 | 5 | 6 | 1 | 2 | 3 | |
| CLO1 | 3 | 1 | 3 | 2 | 3 | 3 | 3 | 2 | 1 | |
| CLO2 | 2 | 1 | 3 | 1 | 3 | 3 | 3 | 2 | 1 | |
| CLO3 | 3 | 2 | 3 | 1 | 3 | 3 | 3 | 2 | 1 | |
| CLO4 | 1 | 2 | 3 | 2 | 3 | 3 | 3 | 2 | 1 | |
| CLO5 | 3 | 1 | 2 | 3 | 3 | 3 | 3 | 2 | 1 | |

| | <u> </u> | | · · · | | | | | | | |
|---------------|----------|--|--|--|---|--|---|--|--|--|
| Title of th | | | | on and ICT T | ools | | | | | |
| Paper Nu | | Skill Enhan | | | | ~ | | | | |
| Category | SEC | Year | II | | 2 | Cou | | 23PMTSE3 | | |
| T () | | Semester | IV | | | Cod | | • | | |
| Instruction | al Hours | Lecture | 1 | lutorial | Lab Pra | ctice | Tota | al | | |
| per week | | 4 | | | | | | | | |
| Pre-requisite | | Basic Computer Knowledge | | | | | | | | |
| Objective | s of the | | | nfortably with | 6 | | d proc | cessors, | | |
| Course | | * | | , presentation s | software's. | | | | | |
| Course O | utline | UNIT-I:Wo | | 0 | | | | | | |
| | | | , | 1 0, | | | | vord processing tatus bar, Scro | | |
| | | • | | | | | | document. Cu | | |
| | | | | · • | | | | ommands, Tex | | |
| | | - • | | - | | - | | date and Time | | |
| | | | - | | | | | ws, columns an | | |
| | | cells. | | 0, | | | | | | |
| | | | | | | | | | | |
| | | | Concep | - | - | ing, E | diting | a Workbook, | | |
| | | MS Excel Inserting, I Moving fro Formula, F Date and Worksheet date, numb borders an | Concep Deleting om sele Function Time f : Forma ber, chand colo | Work Sheets, cted cells, ent s: Mathematic functions, Usi atting Cells – racter or curr ors, Printing | , entering c ering form al, Logical ng Function changing rency form worksheets | ing, E lata in ula, ha , statis on Wi data a at, cha | diting a cell, andlin; tical, zard. lignm anging | | | |
| | | MS Excel Inserting, I Moving fro Formula, F Date and Worksheet date, numb borders an Creating, F UNIT-III : F | Concep Deleting om sele Function Time f : Forma ber, cha ber, cha d colo Previewi Presenta | Work Sheets, cted cells, ent s: Mathematic functions, Usi atting Cells – racter or curr ors, Printing ng, Modifying tion | , entering c ering form al, Logical ng Function changing rency form worksheets Charts. | ing, E lata in ula, ha , statis on Wi data a at, cha s, Cha | diting a cell, andling tical, zard. lignm anging rts a | a Workbook, , Copying and g operators in text, financial, Formatting a nent, changing g font, adding nd Graphs – | | |
| | | MS Excel Inserting, I Moving fro Formula, F Date and Worksheet date, numb borders an Creating, F UNIT-III : F MS Power Working Formatting Correcting Drawing a pictures, I Narration, Animate S Insert and Running an | Concep Deleting om sele Function Time f : Forma Der, cha nd colo Previewi Presenta Point C in Diffe Text, Typing and Wc Designin Multim lide Co Format nd Contr | Work Sheets, cted cells, ent s: Mathematic functions, Usi atting Cells – racter or curr ors, Printing <u>ng, Modifying</u> tion oncept : Creat erent Views, Formatting g Mistakes, Morking with C g Slide Show hedia effects- ontent, Set Tir | , entering c ering form al, Logical ng Function changing rency form worksheets Charts. ing, Openin Working Paragraphs Making No Dbjects, A vs using to Apply T ning for T ypting press Show, Print | ing, E lata in ula, ha , statis on Wi data a at, cha at, cha s, Cha ng and with s, Che otes P dding emplate ransitic ransitic sentation | diting a cell, andling tical, i zard. lignmanging rts a: Savin Slides cking eages Clip es, Re ons b ons a: ons wi resenta | a Workbook, , Copying and g operators in text, financial, Formatting a nent, changing g font, adding nd Graphs – g Presentations s, Adding an and Handout Art and othe ehearse timing between Slides nd Animations ith a password ations | | |

| Extended Professional Component (is a part of internal component only, Not to be included in the External Examination questionpaper) | deleting the mails, checking the mails, viewing and running file attachments, addressing with cc and bcc. UNIT-V:Google Office Tools: Creating , saving , downloading , sharing files/folders from Google drive , creating and sharing Google docs, import and export docs, creating and sharing Google sheet, import and export Google sheet, Google forms and form responses ,creating Google slides to present your ideas Questions related to the above topics, from various competitive examinations UPSC / TRB / NET / UGC – CSIR / GATE / TNPSC / others to be solved (To be discussed during the Tutorial hour) |
|--|--|
| Skills acquired from this course | Knowledge, Problem Solving, Analytical ability, Professional Competency, Professional Communication and Transferrable Skill |
| Recommended Text | Microsoft Office 2010 For Dummies By Wallace Wang 2007 Microsoft Office System Plain & Simple by Jerry Joyce Microsoft Press Office XP : The Complete Reference- Stephen L. Selson – Tata McGraw Hill Education. Working in Microsoft Office – Richard Mansfield – Tata McGraw Hill Education. Dinesh Maidasani, Learning Computer fundamentals, MS- Office and Internet and Web Technology, Laxmi Publications PVT Limited, 2016. |
| Reference Books | Microsoft Office 2007 Bible - John Walkenbach,HerbTyson,FaitheWempen,caryN.Prague,Micha elR.groh, PeterG.Aitken, and Lisa a.Bucki -Wiley India pvt.ltd. Introduction to Information Technology - Alexis Leon, Mathews Leon, and Leena Leon, Vijay Nicole Imprints Pvt. Ltd., 2013. A Conceptual Guide to OpenOffice Computer & Internet Basics Step-by-Step - Etc-end the Clutter - Infinity Publishing Open Office Basic: An Introduction |
| website and | http://office.microsoft.com/en-us/training/CR010047968.aspx |
| e-Learning Source | https://gsuite.google.com/leaming-center |
| | http://windows.microsoft.com/en-in/windows/msoffice-basics-all- http://spoken-tutorial.org |

Students will be able to

CLO1: Describe the features and functions of the categories of application software.

CLO2: Explain conclusions effectively, orally and in writing.

CLO3: Understand the dynamics of an office environment.

CLO4: Demonstrate the ability to apply application software in an office environment.

CLO5: Use Email and Google Suite for office data management tasks.

| | | | P | Os | | | | PSOs | PSOs | | | |
|------|---|---|---|----|---|---|---|------|------|--|--|--|
| | 1 | 2 | 3 | 4 | 5 | 6 | 1 | 2 | 3 | | | |
| CL01 | 3 | 1 | 3 | 2 | 3 | 3 | 3 | 2 | 1 | | | |
| CLO2 | 2 | 1 | 3 | 1 | 3 | 3 | 3 | 2 | 1 | | | |
| CLO3 | 3 | 2 | 3 | 1 | 3 | 3 | 3 | 2 | 1 | | | |
| CLO4 | 1 | 2 | 3 | 2 | 3 | 3 | 3 | 2 | 1 | | | |

| Title of the | e Course | Mathematic | al Aptit | ıde | | | | | | |
|-------------------------------------|----------|---|--|-----------|------------------|---------|-------|-----------------|--|--|
| Paper Number | | Skill Enhancement Courses II | | | | | | | | |
| Category SEC | | Year | II | Credits | 2 | Cou | rse | 23PMTSE2 | | |
| | | Semester | III | | | Cod | Code | | | |
| Instruction | al Hours | Lecture | Tu | torial | Lab Pra | ctice | Tota | al | | |
| per week | | 3 | - | | | | 3 | | | |
| Pre-requisite | | Training for Competitive Examination | | | | | | | | |
| Objectives of the | | Mathematics for NET/UGC-CSIR/SET/TRB Competitive | | | | | | | | |
| Course | | Examination | | | | | | | | |
| Course Outline | | UNIT-I:Typical Problems | | | | | | | | |
| | | Calendar Problems - Clock Problems – Moving Locomotive Problems - | | | | | | | | |
| | | Series Formation. | | | | | | | | |
| | | Chapter: 1 - 4 | | | | | | | | |
| | | UNIT-II: Numerical Ability | | | | | | | | |
| | | | | • | gements - | Distanc | es an | d Directions. | | |
| | | Chapter: 5 – 7 | | | | | | | | |
| | | UNIT-III : Daily Life Problems | | | | | | | | |
| | | Finding the x - Average - Monetary Problems. | | | | | | | | |
| | | Chapter: 8 – 9 | | | | | | | | |
| | | • | | | | | | | | |
| | | UNIT – IV : Geometrical Type Problems Geometry - Mensuration and Quantitative Comparison. | | | | | | | | |
| | | Chapter: 11 & 12 | | | | | | | | |
| | | UNIT-V:Logical Reasoning | | | | | | | | |
| | | Data Interpretation - Observational Ability – Logical Puzzles. | | | | | | | | |
| | | | Chapter: 13 – 15 | | | | | | | |
| Extended | | Questions related to the above topics, from various competitive | | | | | | | | |
| Professiona | al | examinatio | ns NET / | UGC – CSI | R / SET / | TRB / | other | rs to be solved | | |
| Componen | · • | (To be discussed during the Tutorial hour) | | | | | | | | |
| of | internal | | | | | | | | | |
| component | | | | | | | | | | |
| Not to be in | | | | | | | | | | |
| the | External | | | | | | | | | |
| Examinatio | | | | | | | | | | |
| questionpa | | Knowledge, Problem Solving, Analytical ability, Professional | | | | | | | | |
| Skills acquired from this course | | Competency, Professional Communication and Transferrable Skill | | | | | | | | |
| from unis (| course | | y, 1 10105 | | numcatio | n anu | 11411 | | | |
| | | | | | | | | | | |
| Recommen | nded | 1 (5 | IR _NFT | GENERA | | IDF - | a ne | w outlook | | |
| Text | | | 1. CSIR –NET, GENERAL APTITUDE – a new outlook, Christy Varghese, III Edition, Lily publishing house, Kerala. | | | | | | | |
| 1 CAL | | Sinter, vargaese, in Dation, Day publishing house, Kerala. | | | | | | | | |
| | | | | | | | | | | |
| | | | | | | | | | | |

| Reference Books | 1.General Aptitude Comprehensive Theory & Practice, Kailash Choudhary, 6TH Edition. 2.CSIR-UGC-NET General Aptitude Theory and Practice, Ram Mohan Pandey, 2nd Edition, Path Finder Publication. |
|-------------------|---|
| website and | https://www.youtube.com/live/wgvOLG_8gEl?si=jlxPOYzPiDOvq6C |
| e-Learning Source | https://youtu.be/OWq7bDBrZ5g?si=jwytq5jjkPYztbJw |

Students will be able to

CLO1: Guess and check the Problems quickly

CLO2: Demonstrate the ability to apply application.

CLO3: Analyze Real Life Problems.

CLO4: Know the Application of Mensuration.

CLO5: Understand the Logical Reasoning.

| | POs | | | | | | PSOs | | |
|------|-----|---|---|---|---|---|------|---|---|
| | 1 | 2 | 3 | 4 | 5 | 6 | 1 | 2 | 3 |
| CL01 | 3 | 1 | 3 | 2 | 3 | 3 | 3 | 2 | 1 |
| CLO2 | 2 | 1 | 3 | 1 | 3 | 3 | 3 | 2 | 1 |
| CLO3 | 3 | 2 | 3 | 1 | 3 | 3 | 3 | 2 | 1 |
| CLO4 | 1 | 2 | 3 | 2 | 3 | 3 | 3 | 2 | 1 |